



A-GAP: ***Adaptive Monitoring with Accuracy Objectives***

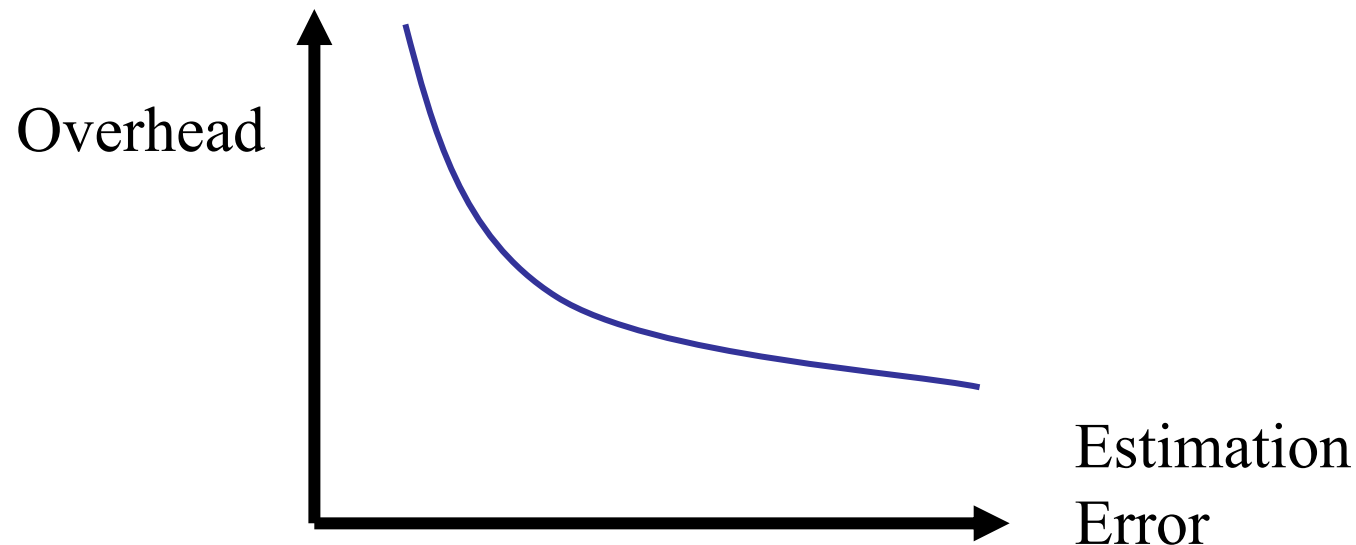
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The Problem

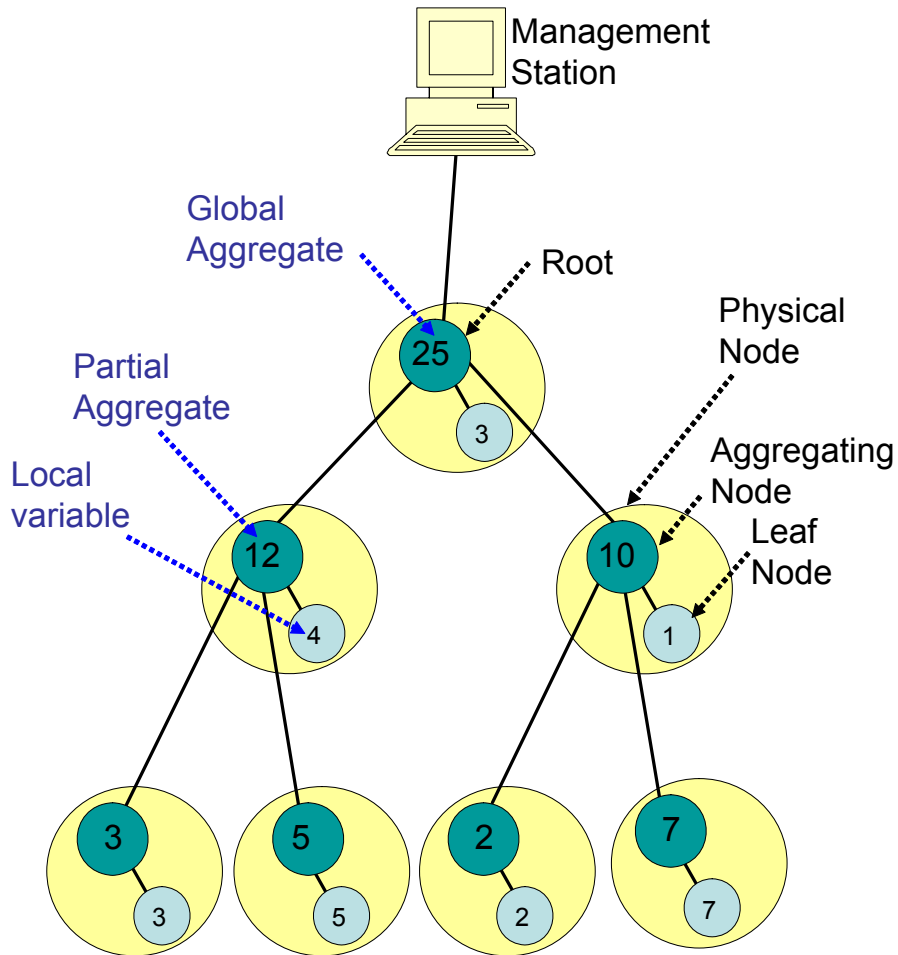
- Find an efficient solution for **continuous monitoring of aggregates with accuracy objectives** in large-scale network environments
 - Aggregation functions, such as SUM, AVERAGE and MAX
 - Sample aggregates: total number of VoIP flows, the maximum link utilization, or a histogram of the current load across routers in a network domain
- Key Application Areas: Network Supervision, Quality Assurance, Proactive Fault Management

The Problem (2)

- Network management solutions deployed today usually provide only qualitative control of the accuracy
- **Fundamental trade-off** between accurate estimation of a variable and the management overhead in terms of traffic and processing load

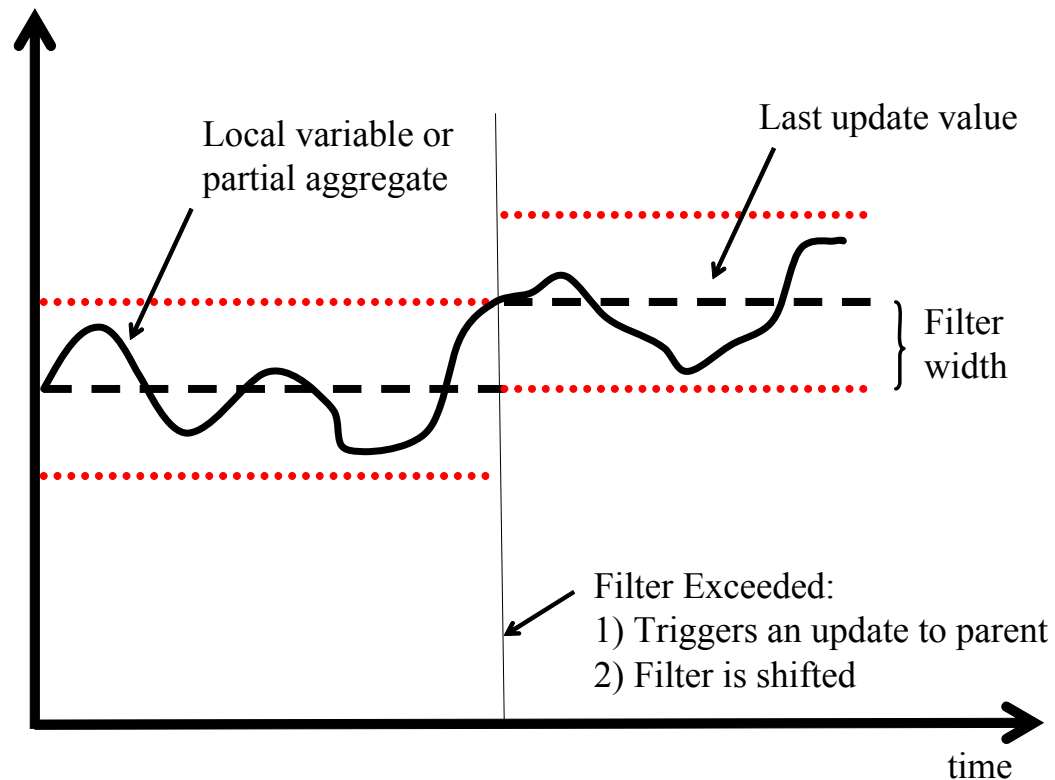


Decentralized in-network Aggregation



- **Self-organizing** Management overlay
 - Spanning tree
- Incremental aggregation
- In-network aggregation
- Push-based
- Local filter that **dynamically** adapts

Local Adaptive Filters



- Each node has a local filter
- **Controls the management overhead** by filtering updates
- **Drops updates** with small variations of its partial aggregate
- Filters **periodically adapt** to the dynamics of network environment

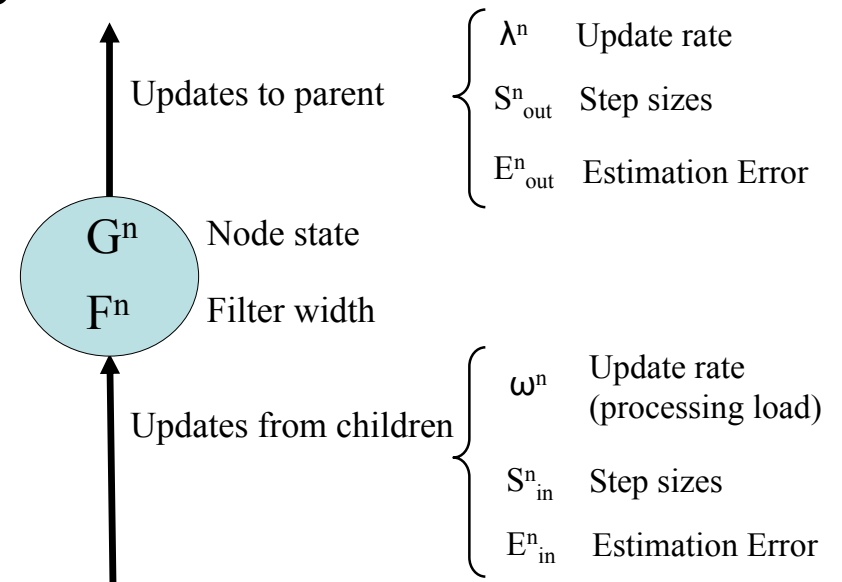
Problem Formalization

- Provide an estimation of the monitored aggregate for a given accuracy ε , with minimal overhead ω^n
 - Overhead: maximum processing load over all management processes
 - Accuracy: average error

$$\text{Minimize } \underset{n}{\text{Max}} \{ \omega^n \} \quad \text{s.t.} \quad E \left(\left| E^{root} \right| \right) \leq \varepsilon$$

An Stochastic Model for the Monitoring Process

- For each node n , the model relates
 - the error of the partial aggregate of n ,
 - the evolution of the partial aggregate
 - the rate of updates n sends
 - the width of the local filter.



- Based on discrete-time Markov chains
- Permits to compute the distribution of estimation error and the overhead on each node

Stochastic Model (leaf)

Estimation of
local variable evolution:

$$j^n = \begin{cases} i^n + X^n & -F^n \leq i^n + X^n \leq F^n \\ 0 & \text{otherwise.} \end{cases}$$

Transition Matrix:

$$t_{ij}^n = \begin{cases} P(X^n = j^n - i^n) & |j^n| \leq F^n, j^n \neq 0 \\ P(X^n = -i^n) + P(F^n - i^n < X^n < -F^n - i^n) & j^n = 0 \end{cases}$$

Step Size:

$$P(S_{out}^n = s) = \begin{cases} \sum_{z=s-F^n}^{s+F^n} P(X^n = z)P(G^n = s - z) & |s| > F^n \\ \sum_{d=-F^n}^{F^n} \sum_{z=d-F^n}^{d+F^n} P(X^n = z)P(G^n = d - z) & s = 0 \\ 0 & \text{otherwise.} \end{cases}$$

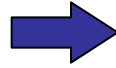
Estimation Error:

$$E_{out}^n = G^n$$

Management Overhead: $\lambda^n = (1 - P(S_{out}^n = 0))$

Stochastic Model (aggregating node)

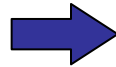
Input



Output

Step Size:

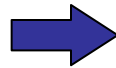
$$P(S_{in}^n = s) = \frac{\sum_{c \in \gamma^n} (P(S_{out}^c = s) \cdot \Delta^c)}{\sum_{c \in \gamma^n} \Delta^c}$$



$$P(S_{out}^n = s) = \begin{cases} \sum_{k=s-F^n}^{s+F^n} P(S_{in}^n = k)P(G^n = s-k) & |s| > F^n \\ \sum_{d=-F^n}^{F^n} \sum_{k=d-F^n}^{d+F^n} P(S_{in}^n = k)P(G^n = d-k) & s = 0 \\ 0 & \text{otherwise} \end{cases}$$

Estimation Error:

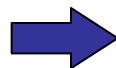
$$E_{in}^n = \sum_{c \in \gamma^n} E_{out}^c$$



$$E_{out}^n = E_{in}^n + G^n$$

Management Overhead:

$$\omega^n = \sum_{c \in \gamma^n} \lambda^c.$$



$$\lambda^n = \Delta^n (1 - P(S_{out}^n = 0))$$

Transition Matrix:

$$t_{ij}^n = \begin{cases} P(S_{in}^n = j^n - i^n) & |j^n| \leq F^n, j^n \neq 0 \\ P(S_{in}^n = -i^n) + P(F^n - i^n < S_{in}^n < -F^n - i^n) & j^n = 0 \end{cases}$$

A-GAP: A Distributed Heuristic

- The global problem is **mapped onto a local problem** for each node

$$\text{Minimize } \underset{\pi}{\text{Max}}\{\omega^{\pi}\} \quad \text{s.t.} \quad E\left(\left|E_{out}^n\right|\right) \leq \varepsilon^n$$

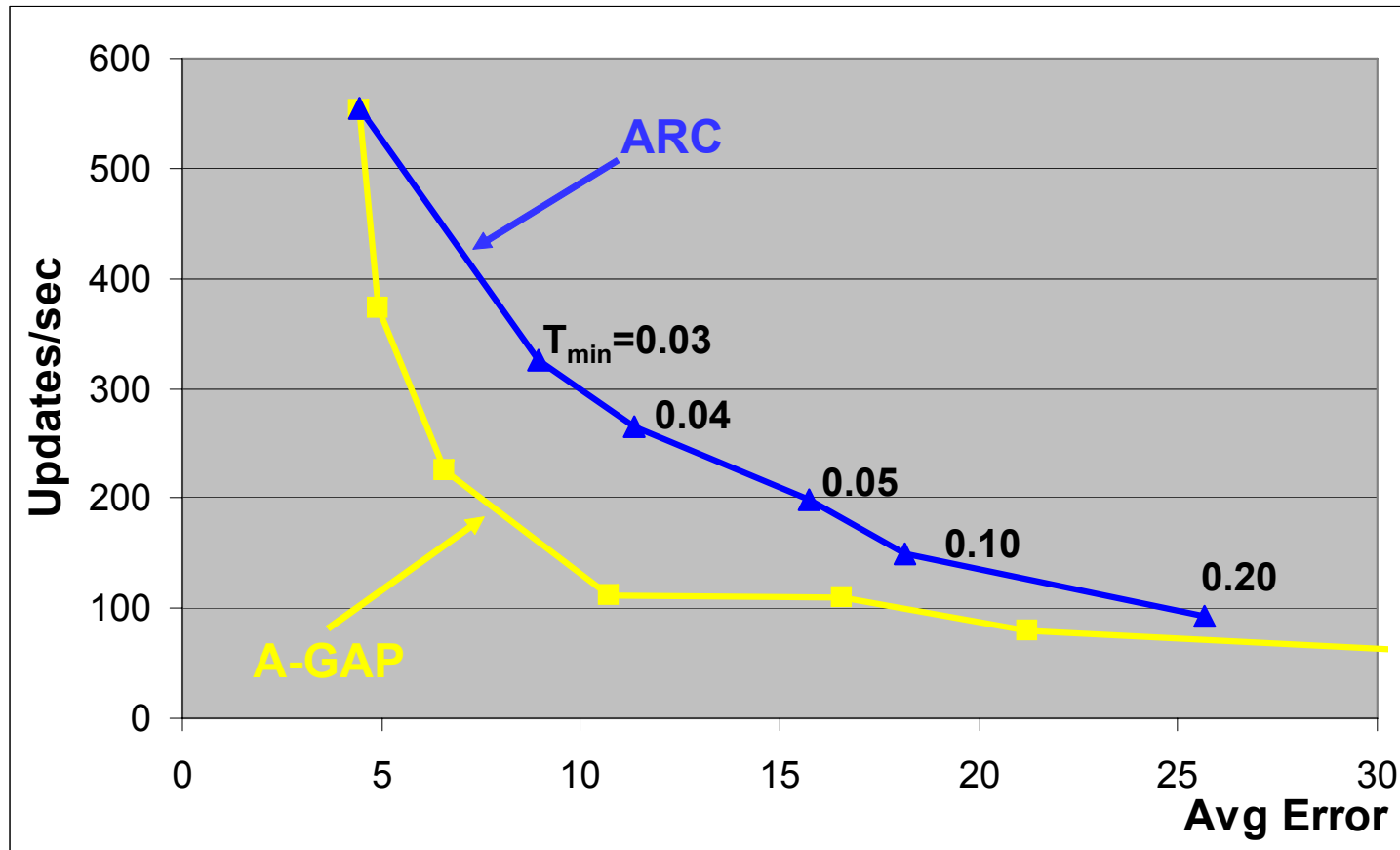
- Attempts to minimize the maximum processing load on all nodes by minimizing the load within each node's neighborhood
- Filter computation: **decentralized** and **asynchronous**
- Each node **independently** runs a control cycle:

- 1 every τ seconds
- 2 request model variables from all children γ^n
- 3 select $\Omega \subseteq \gamma^n$ children
- 4 compute new filters for Ω
- 5 compute new accuracy objectives for γ^n
- 6 send new filters to Ω and objectives to γ^n
- 7 compute local variables

Evaluation through Simulation

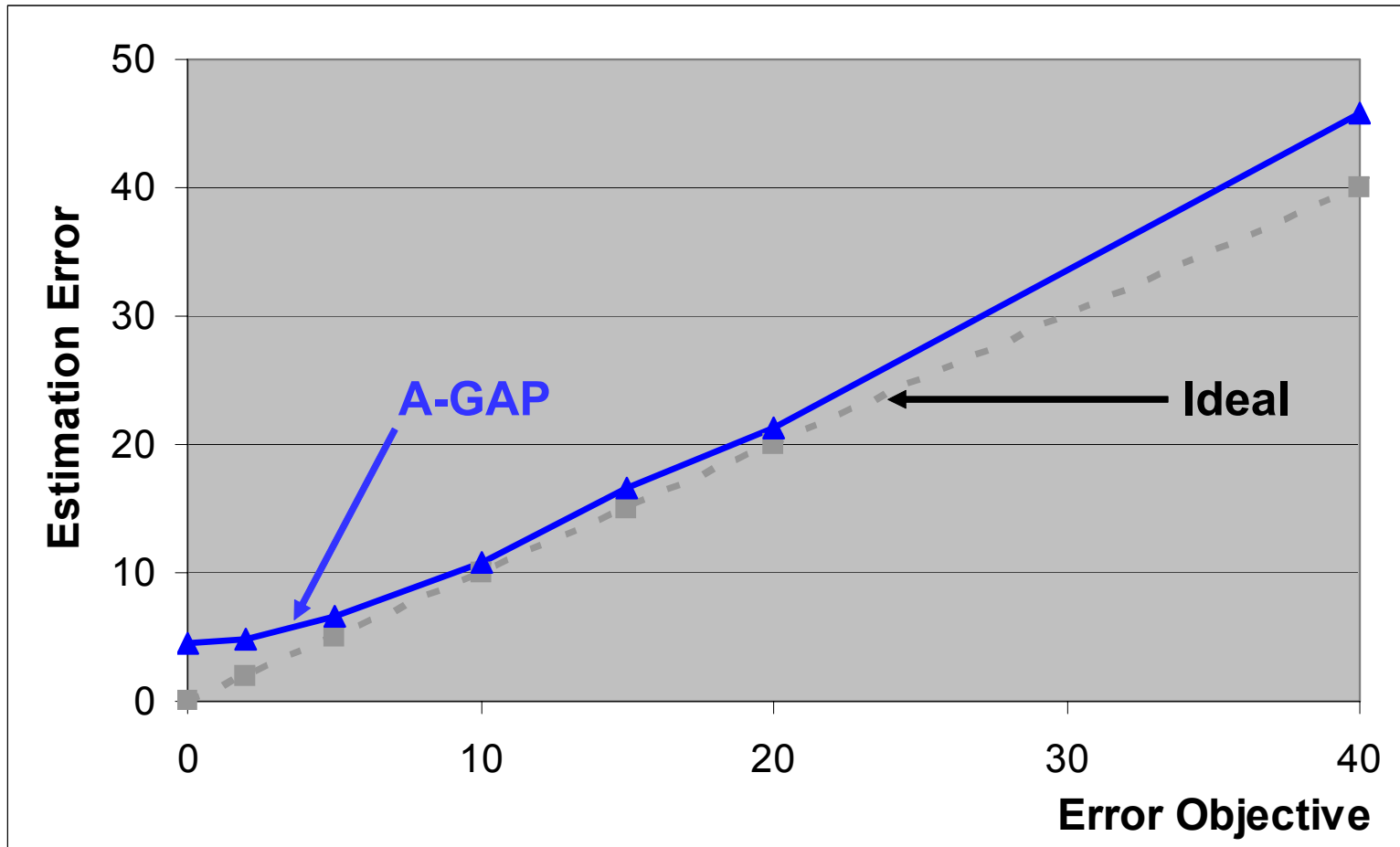
- Different overlay **topologies**:
 - Abovenet (654 nodes, 1332 links)
 - Grids: 25, 85, 221, 613 nodes (4 neighbors)
- Monitored variable: Number of **http flows** in the domain
- **Real traces**
 - From two 1 Gbit/s links that connect University of Twente to a research network
- Control cycle $\tau=1$ sec

Trade-off: accuracy vs overhead



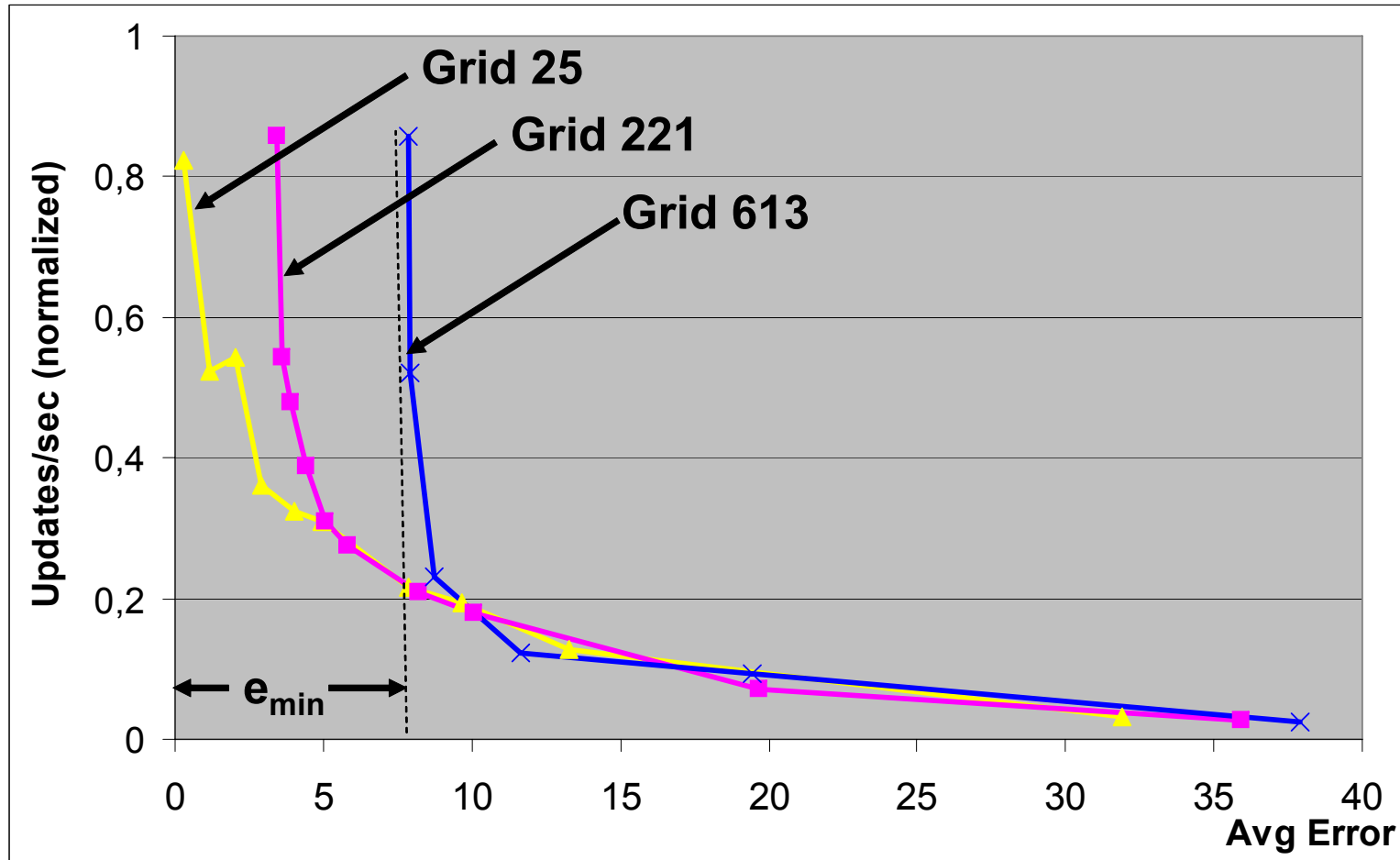
- Overhead **decreases monotonically**
- Overhead depends on the **changes of the aggregate**, not on its value.
- A-GAP **outperforms** a rate-control scheme (ARC)

Meeting the accuracy objective



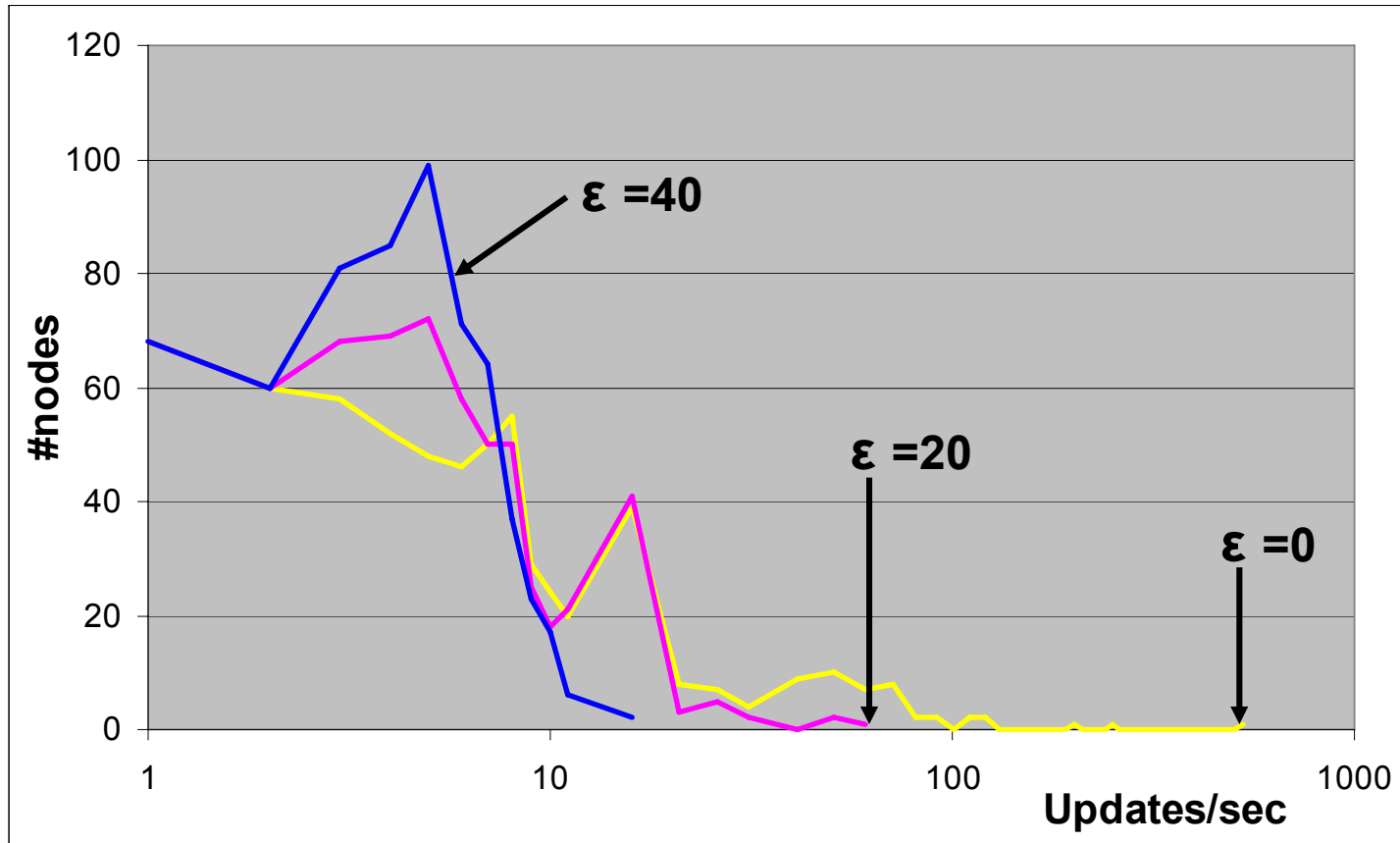
Network and processing **delays** affect estimation error

Scalability



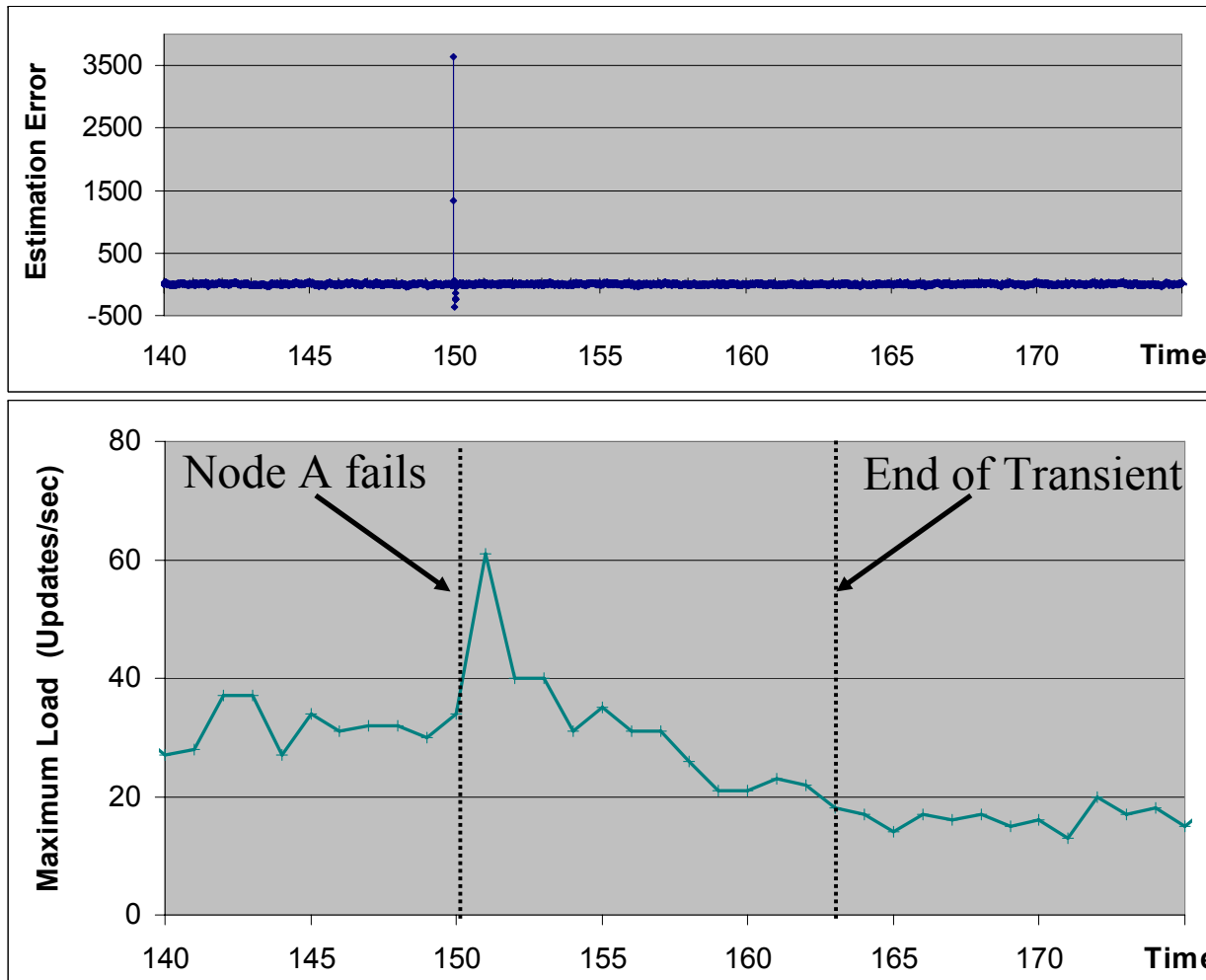
- The minimum error e_{min} increases with the network size
- Maximum load increases linearly with network size for same error objective

Load Distribution



- Allowing for a larger error reduces both the maximum load and the average load
- The larger the error we allow, the better the system balances the load

Robustness

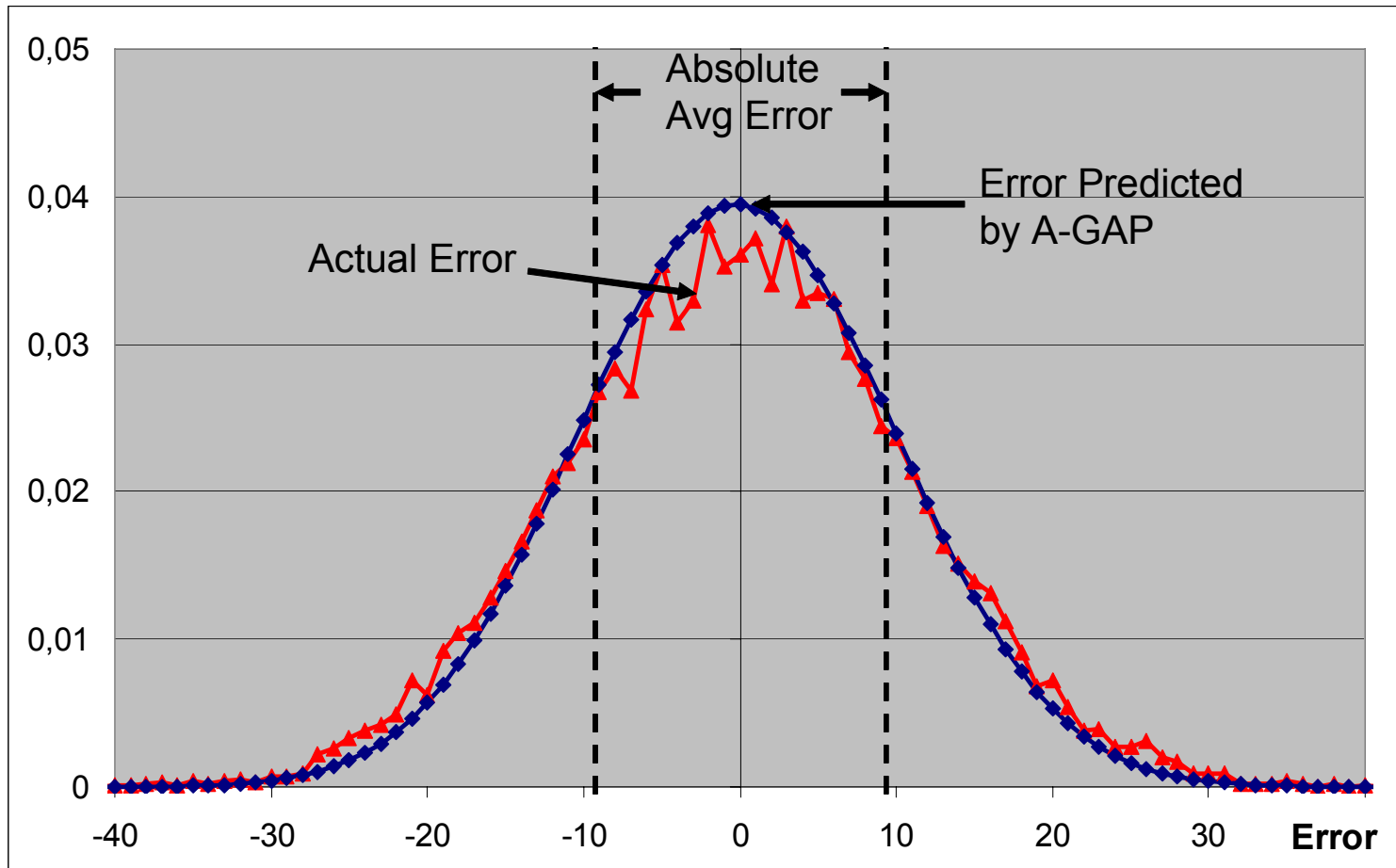


- Estimation error: several spikes (positive and negative) during a sub-second transient period
- Overhead: a single peak with a long transient

Robustness (2)

Node	Dist. From root	#Nodes subtree	Maximum Estimation Error at the Root Node		Transient Period Duration (error)		Maximum Load (relative to average load)		Transient Period Duration (load)	
			$\varepsilon=3$	$\varepsilon=20$	$\varepsilon=3$	$\varepsilon=20$	$\varepsilon=3$	$\varepsilon=20$	$\varepsilon=3$	$\varepsilon=20$
<i>A</i>	<i>1</i>	<i>100</i>	<i>4912</i>	<i>4910</i>	<i>0,12</i>	<i>0,1</i>	<i>139 %</i>	<i>268 %</i>	<i>3</i>	<i>19</i>
<i>B</i>	<i>1</i>	<i>30</i>	<i>1421</i>	<i>1429</i>	<i>0,12</i>	<i>0,1</i>	\emptyset	<i>227 %</i>	\emptyset	<i>19</i>
<i>C</i>	<i>4</i>	<i>28</i>	<i>1432</i>	<i>1439</i>	<i>0,12</i>	<i>0,11</i>	\emptyset	<i>239 %</i>	\emptyset	<i>11</i>
<i>D</i>	<i>4</i>	<i>7</i>	<i>312</i>	<i>303</i>	<i>0,02</i>	<i>0,02</i>	\emptyset	<i>129 %</i>	\emptyset	<i>11</i>
<i>E</i>	<i>8</i>	<i>6</i>	<i>310</i>	<i>278</i>	<i>0,02</i>	<i>0,02</i>	\emptyset	\emptyset	\emptyset	\emptyset
<i>F</i>	<i>8</i>	<i>3</i>	<i>171</i>	<i>130</i>	<i>0,02</i>	<i>0,02</i>	\emptyset	\emptyset	\emptyset	\emptyset

Error Prediction by A-GAP vs Actual Error



- **Accurate prediction** of the error distribution
- Maximum error \gg average error (one order of magnitude)

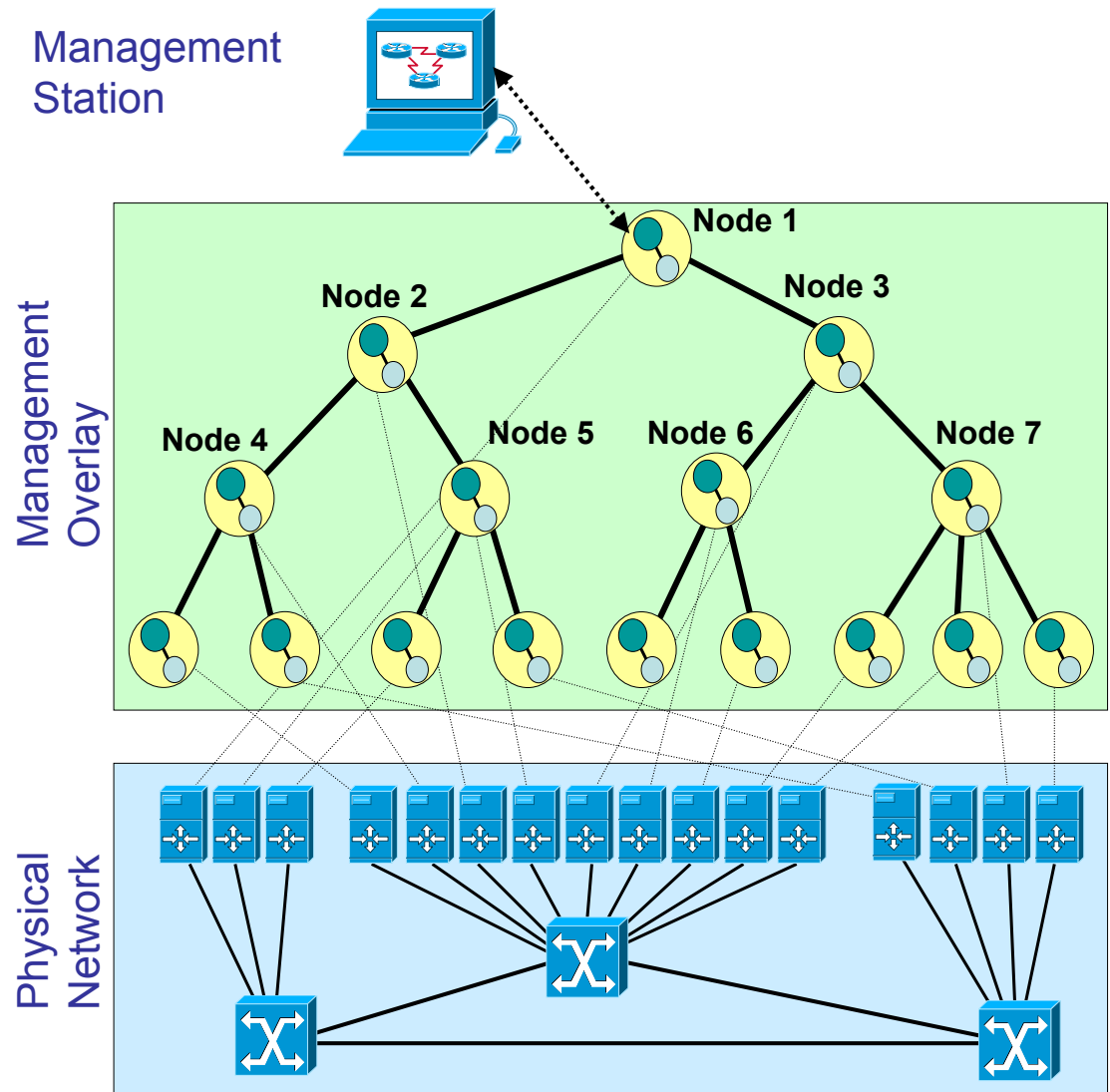
Contribution

- A-GAP: a protocol for continuous monitoring with accuracy objectives
 - Decentralized and asynchronous
 - Accuracy objective is expressed as the **average error**
 - Evaluation through **simulation**
 - **Control the trade-off** between estimation accuracy and protocol overhead
 - **Effective:** significant saving in overhead (up to 97%)
 - **Estimation error prediction** in real-time
 - **Dynamically adapts** to changes in evolution of local management variables, network topology, and node failures

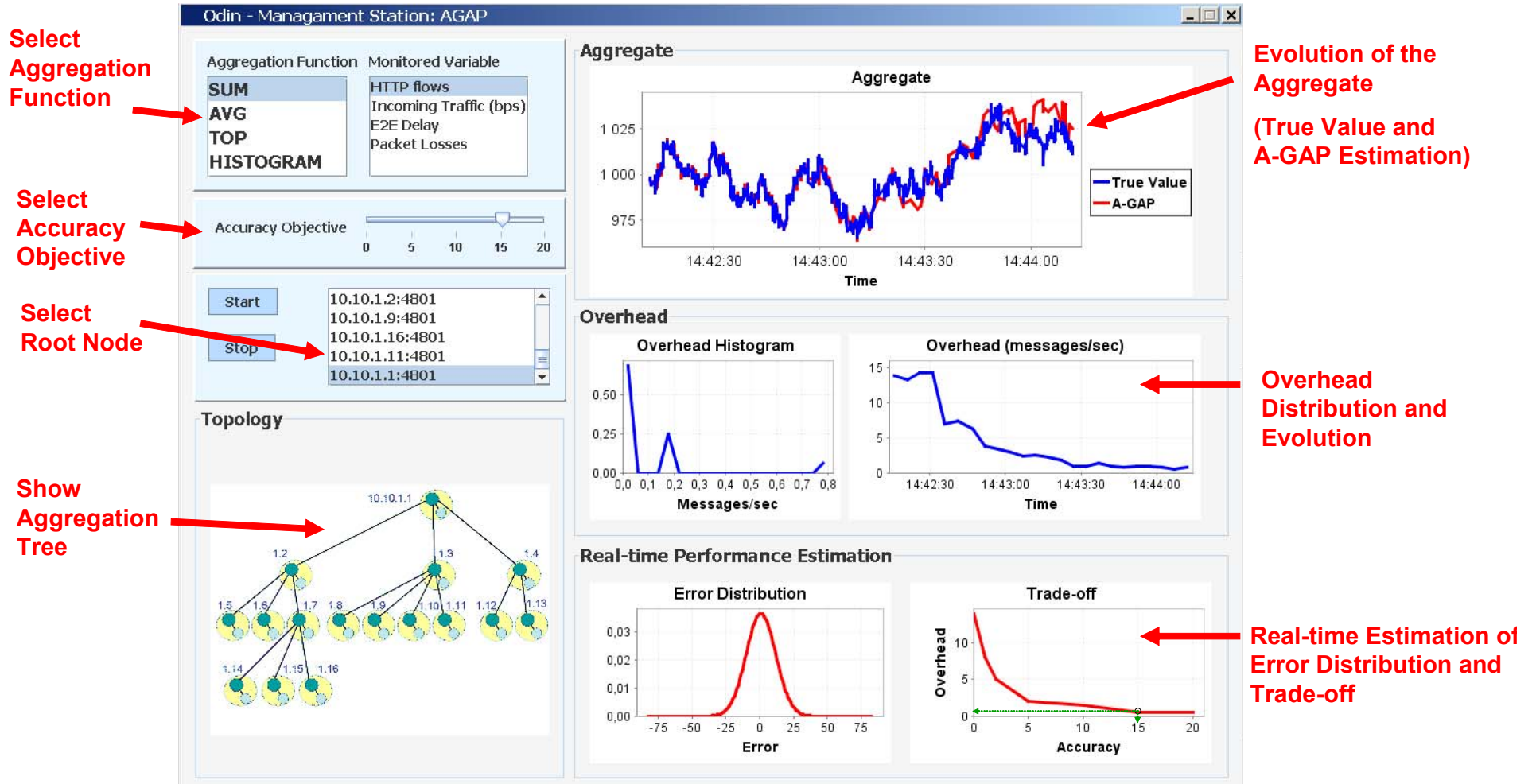
A-GAP Prototype

Runs on KTH Testbed

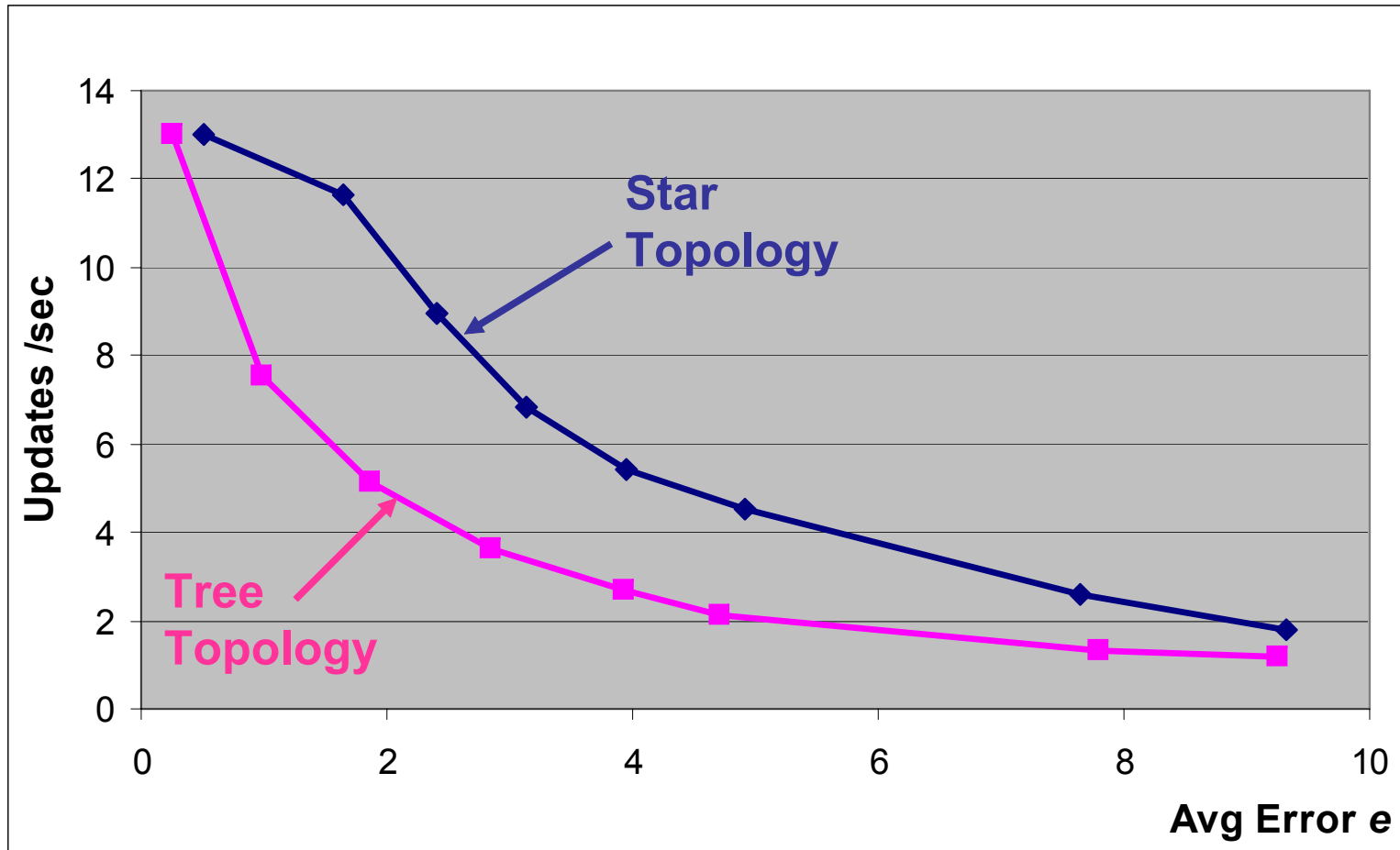
- 16 nodes
- 3 switches
- java



Implementation Evaluation

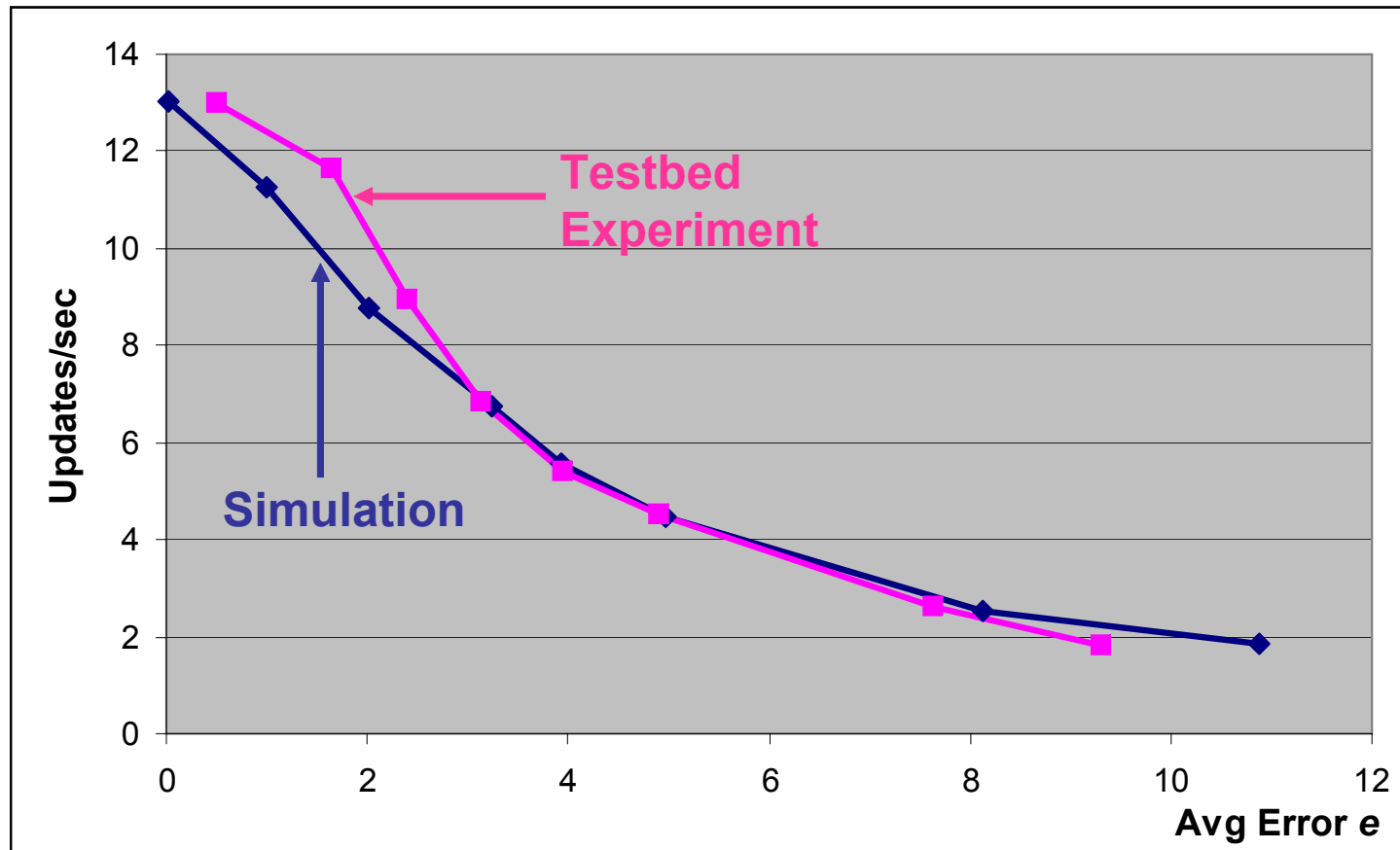


Trade-off: accuracy vs overhead



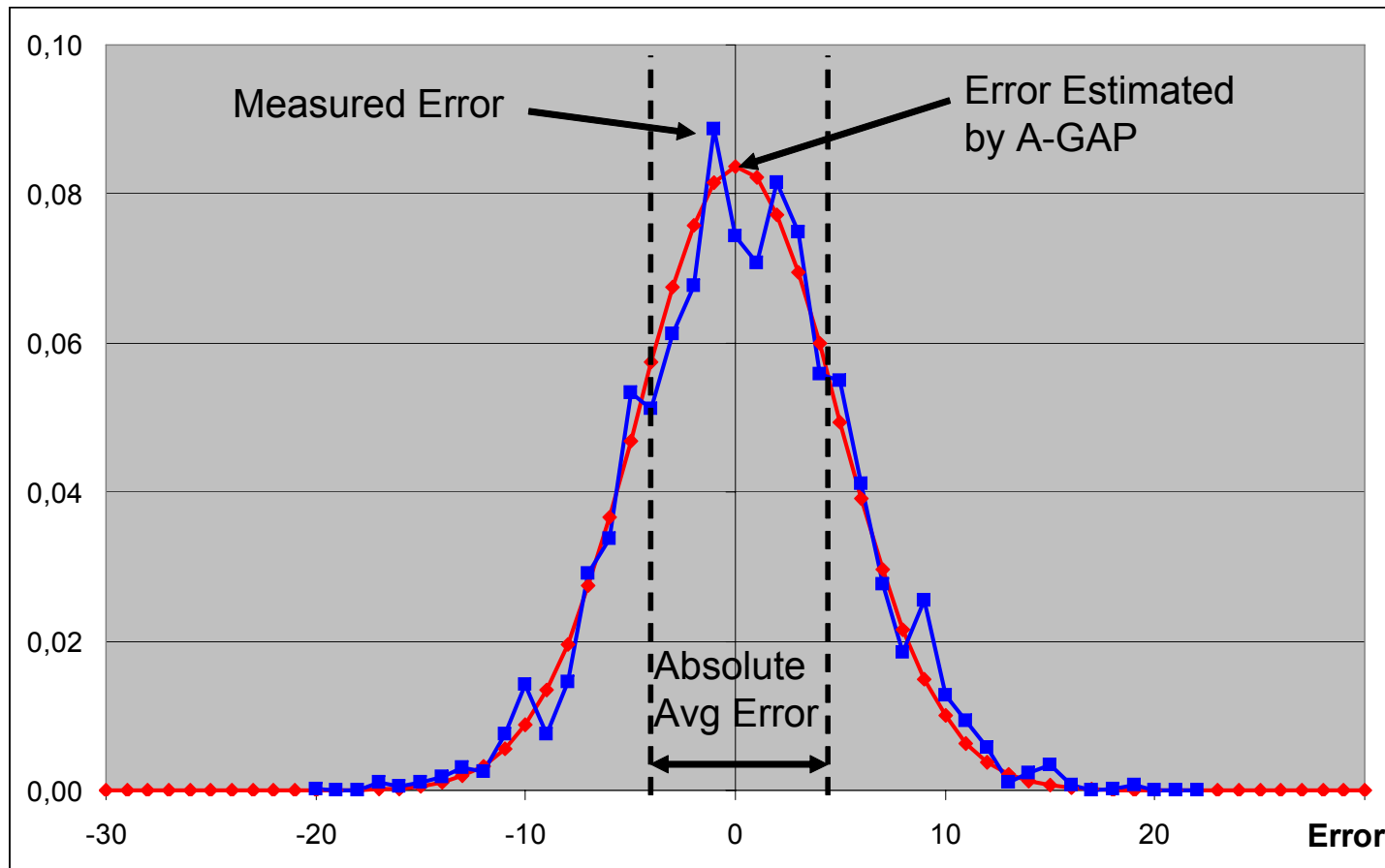
- Overhead **decreases monotonically**
- Impact of the **overlay topology** (factor of 2)
 - positive and negative errors compensate

Trade-off: accuracy vs overhead (2)



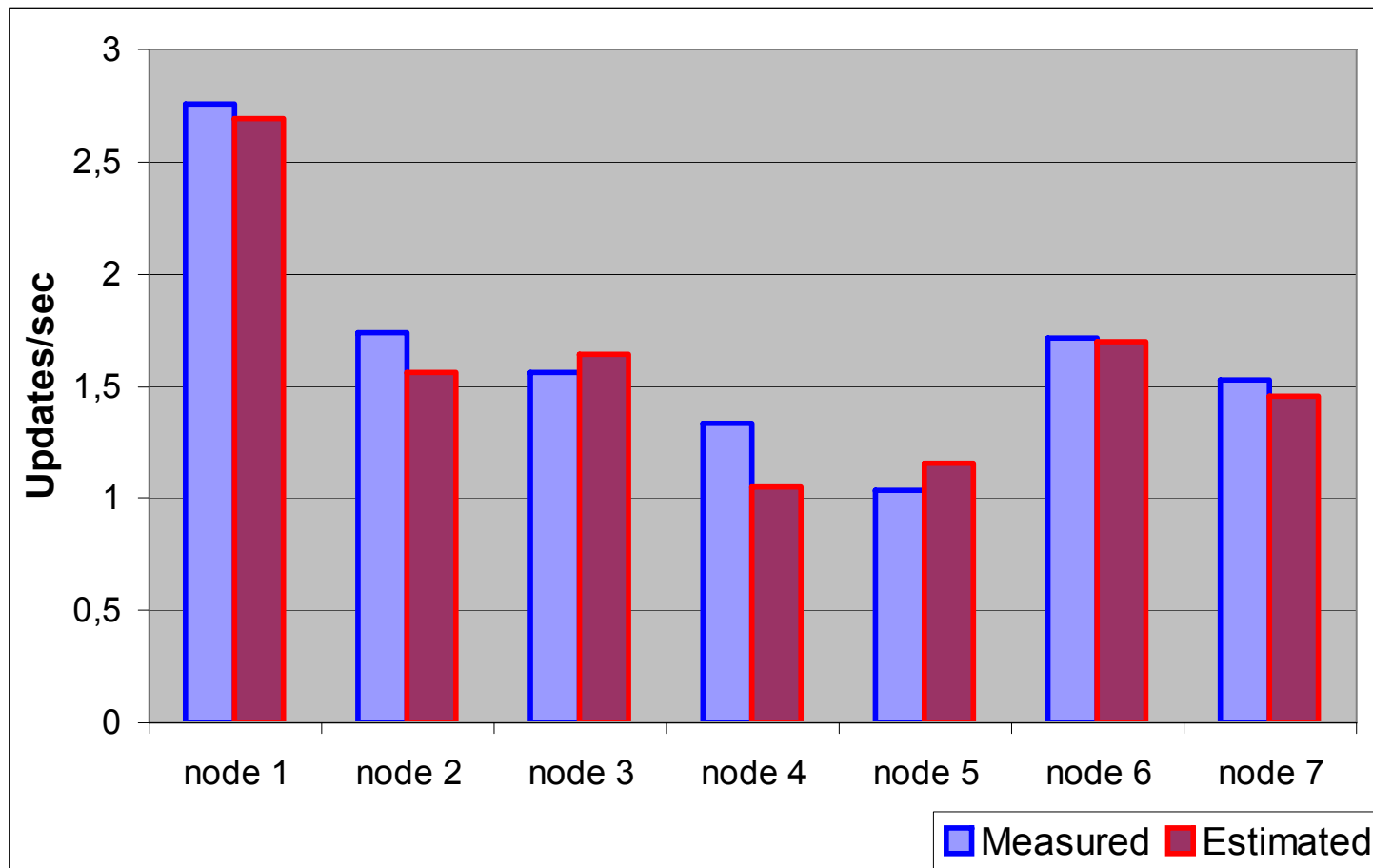
- Curves are very close (difference in overhead is below 3,5%)
- Simulation model validation

Error Estimation by A-GAP vs Actual Error



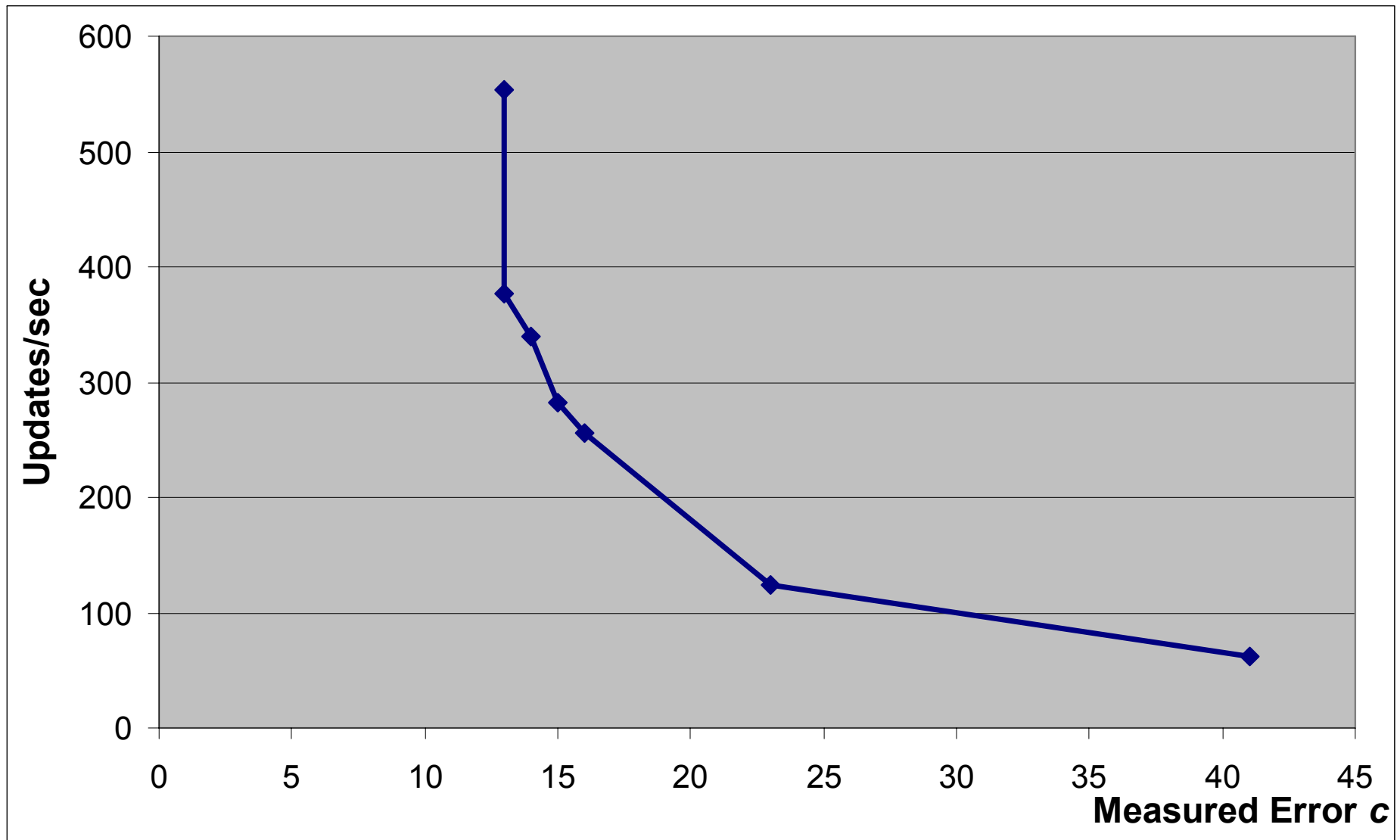
- **Accurate estimation** of the error distribution
- Maximum error \gg average error (one order of magnitude)

Overhead Estimation by A-GAP vs Actual Overhead

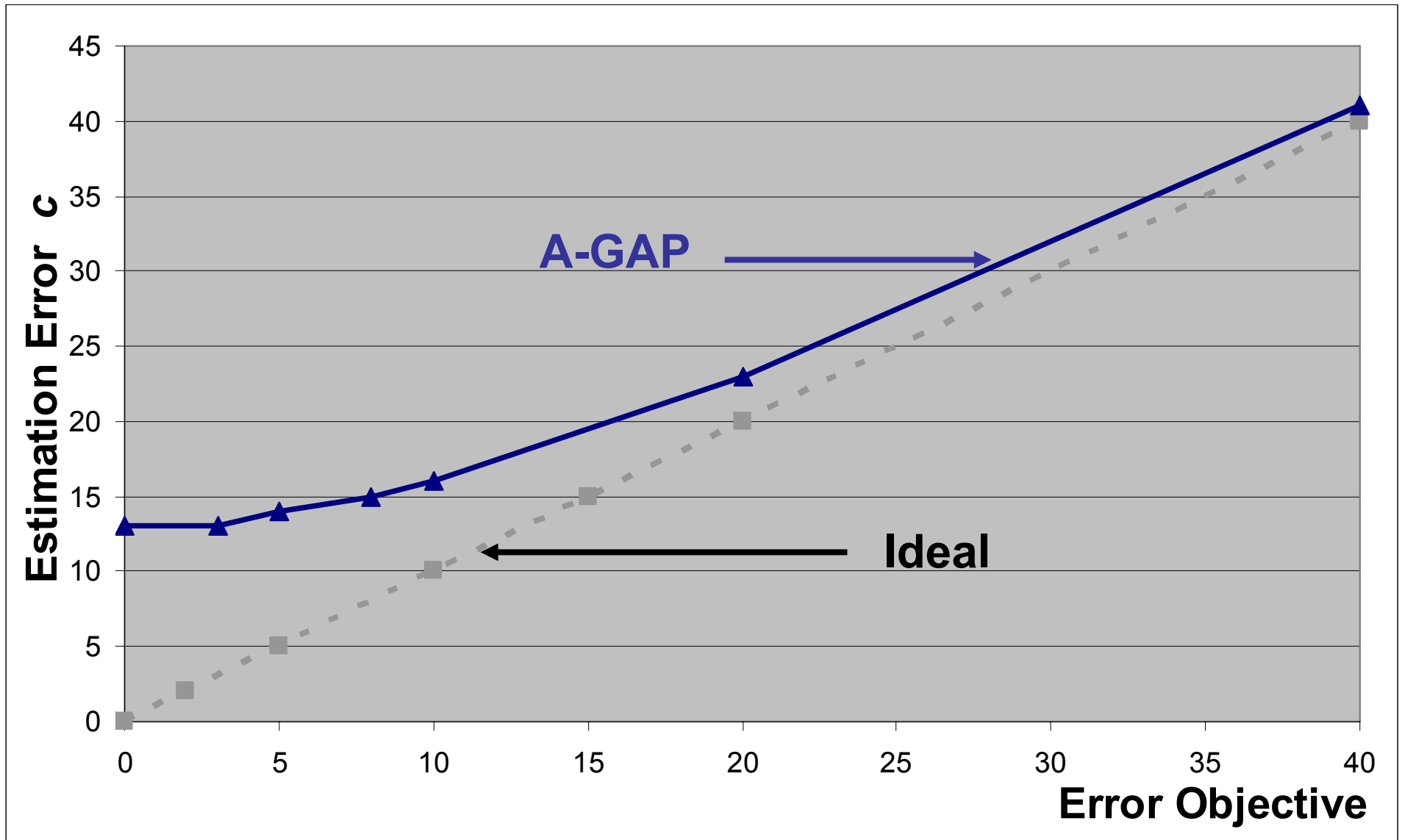


- **Accurate estimation** of the overhead
- tends to be more accurate for **nodes closer to the root**

Supporting Percentile Error Objectives



Supporting Percentile Error Objectives (2)



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