

# NADA Algorithm Update and Test Case Evaluations

draft-zhu-rmcat-nada

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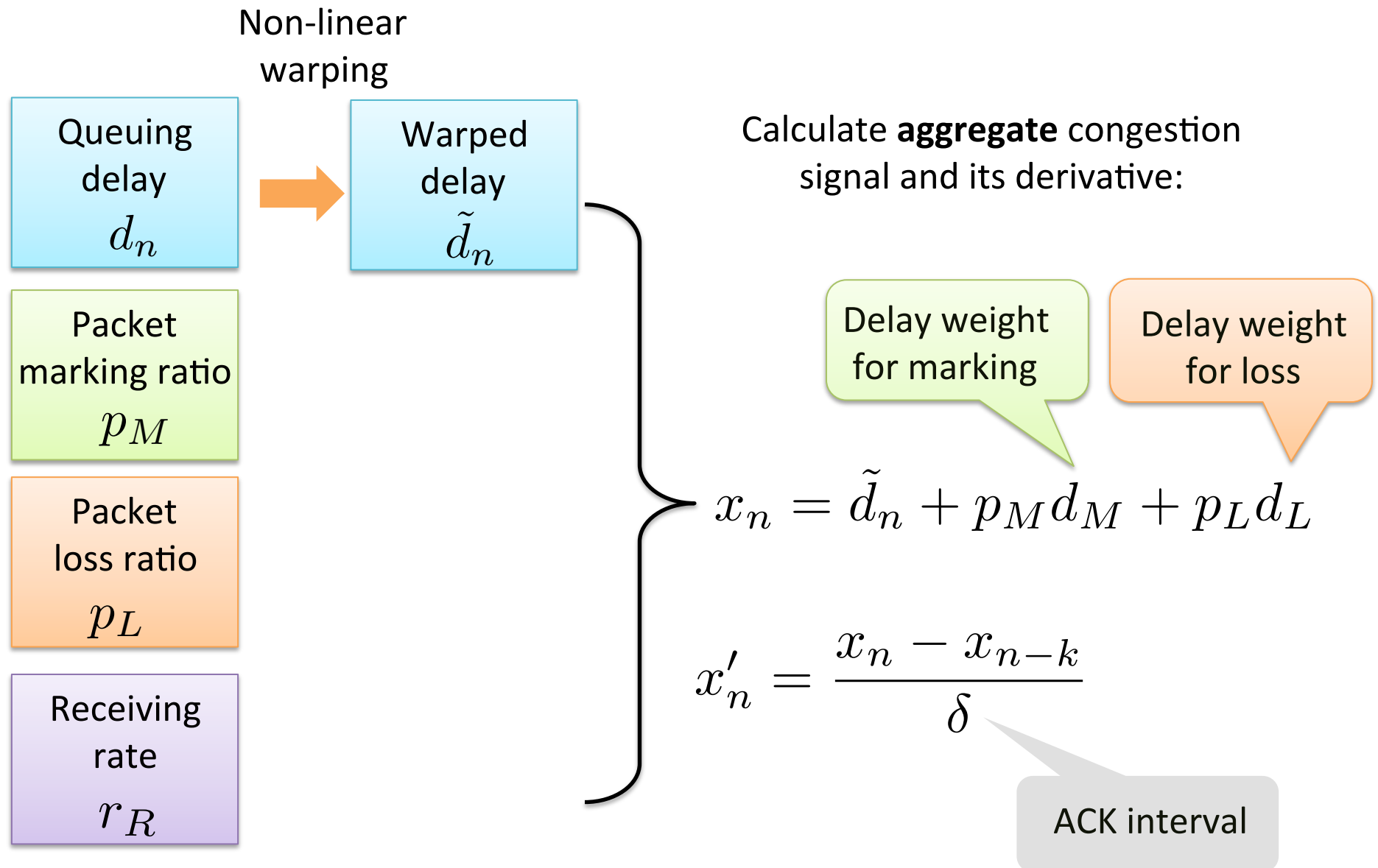
# Outline

- Revised algorithm
  - TCP co-existence
  - Accelerated ramp-up
- Simulation-based test case evaluation
- Testbed results

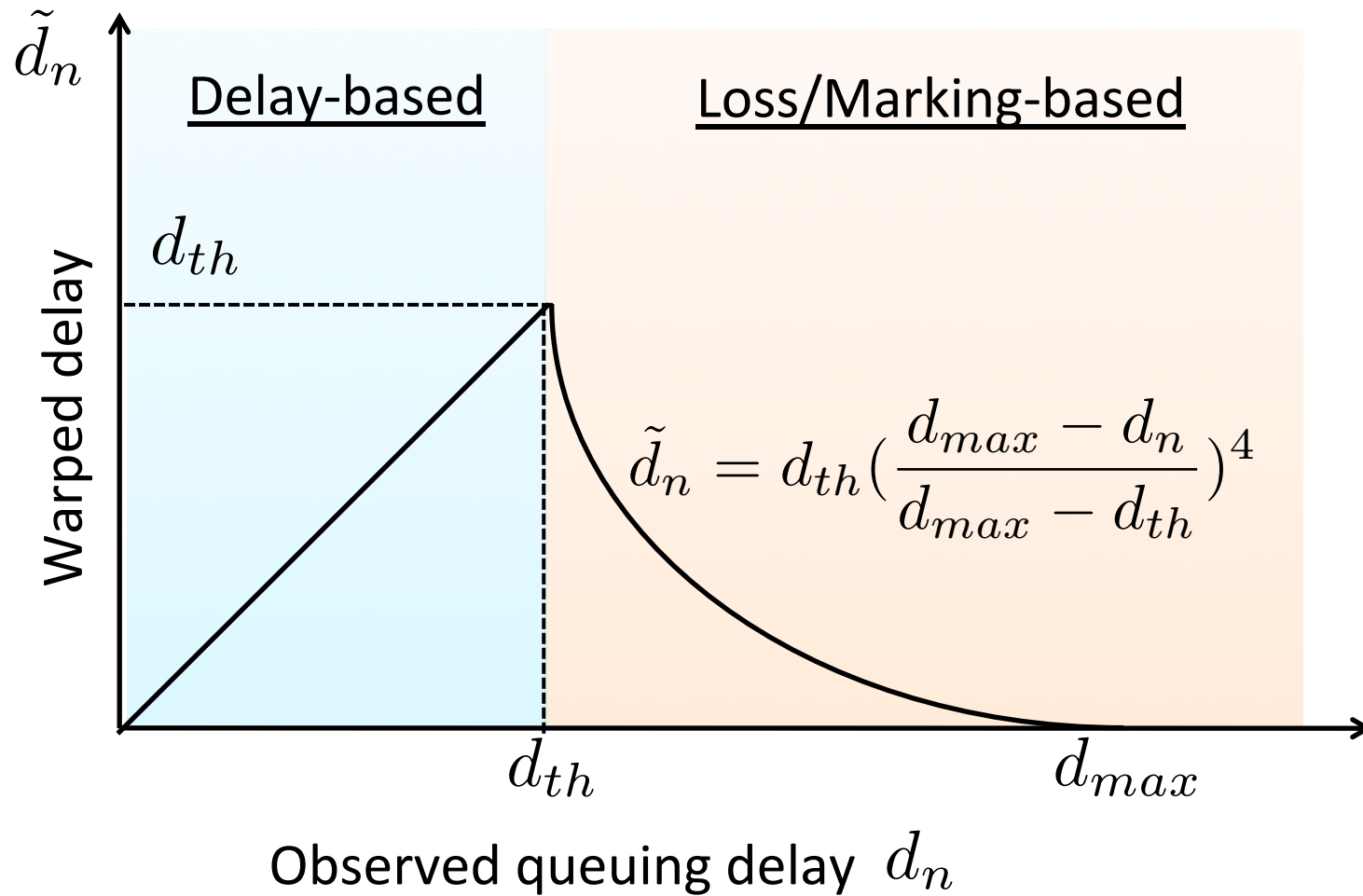
# Issues with Currently Documented Algorithm (as in draft-zhu-rmcat-nada-04)

- Slow ramp-up at start up
- Ignored loss/marking information
- Lack of TCP coexistence

# Revised Receiver Behavior

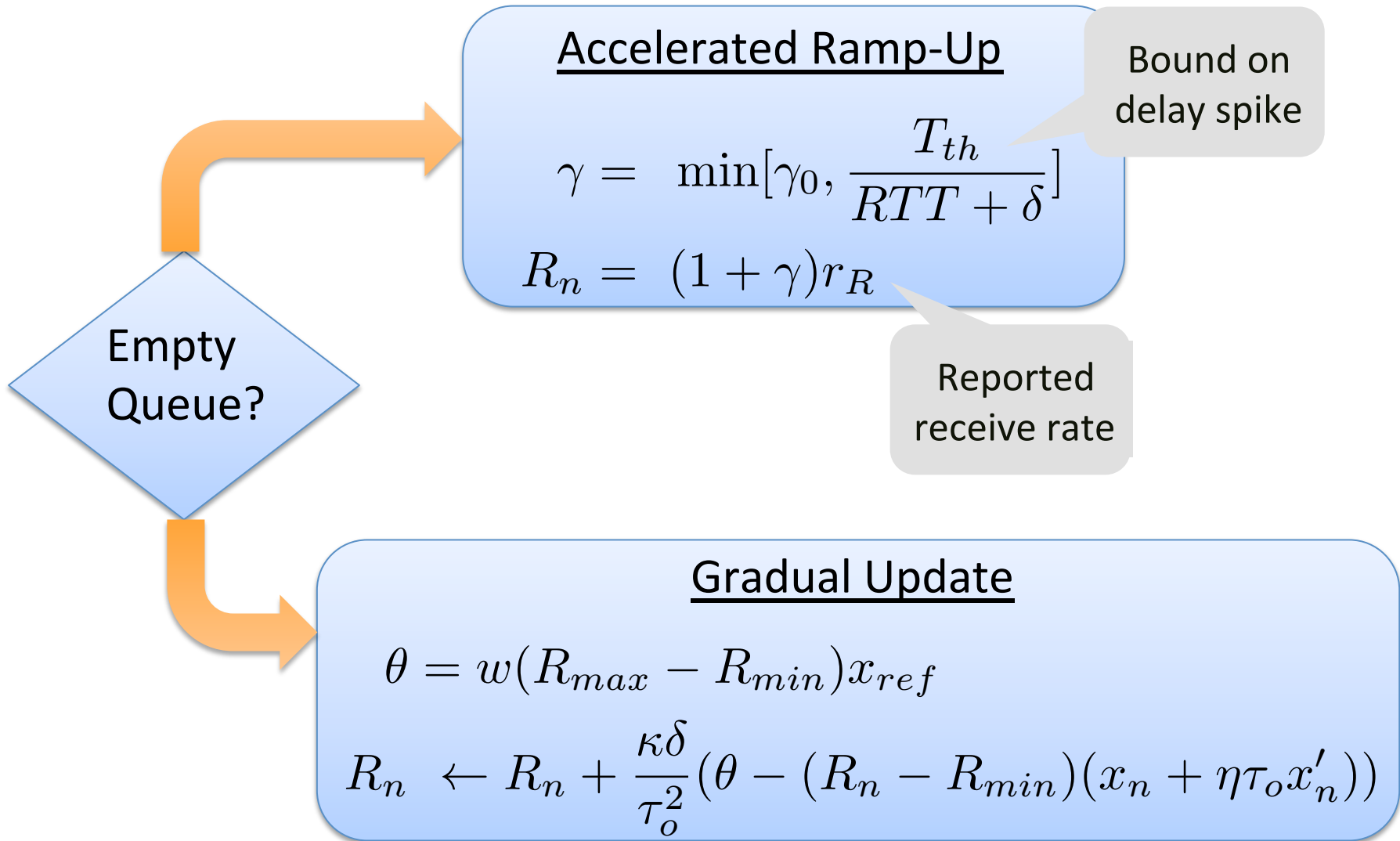


# Non-linear Warping of Delay

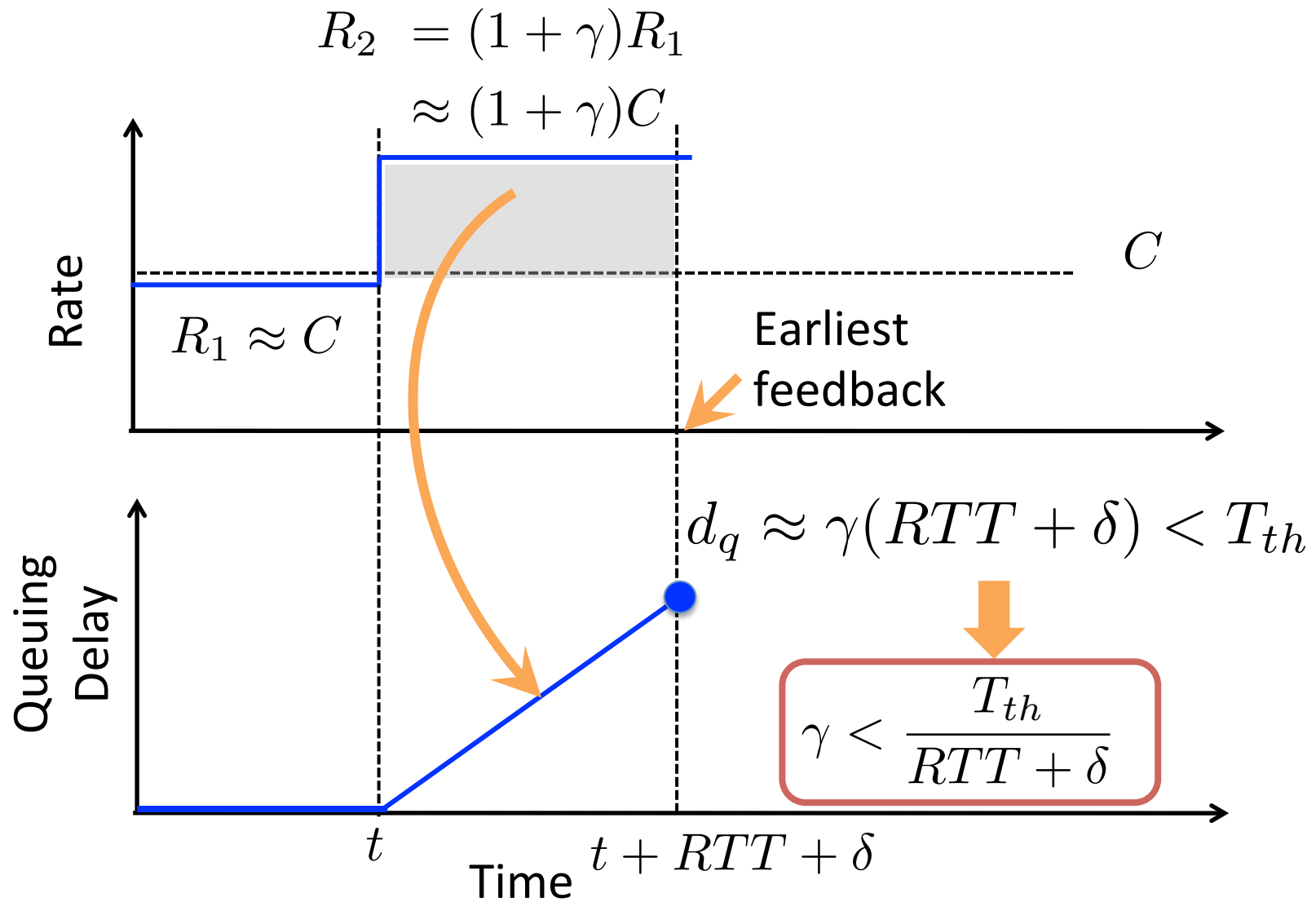


[Budzisz et al. ToN 2011]

# Revised Sender Behavior



# RTT-Aware Accelerated Ramp-Up



# List of Test Cases

- Variable Available Capacity w/ Single RMCAT Flow
- Variable Available Capacity w/ Multiple RMCAT Flows
- Congested Feedback Link w/ Bidirectional Flows
- Competing Flows with same RMCAT Algorithm
- Round Trip Time Fairness
- RMCAT Flow Competing with a Long-Live TCP Flow
- RMCAT Flow Competing with Short TCP Flows
- Media Pause and Resume

## **Default Settings**

Path propagation delay: 50ms

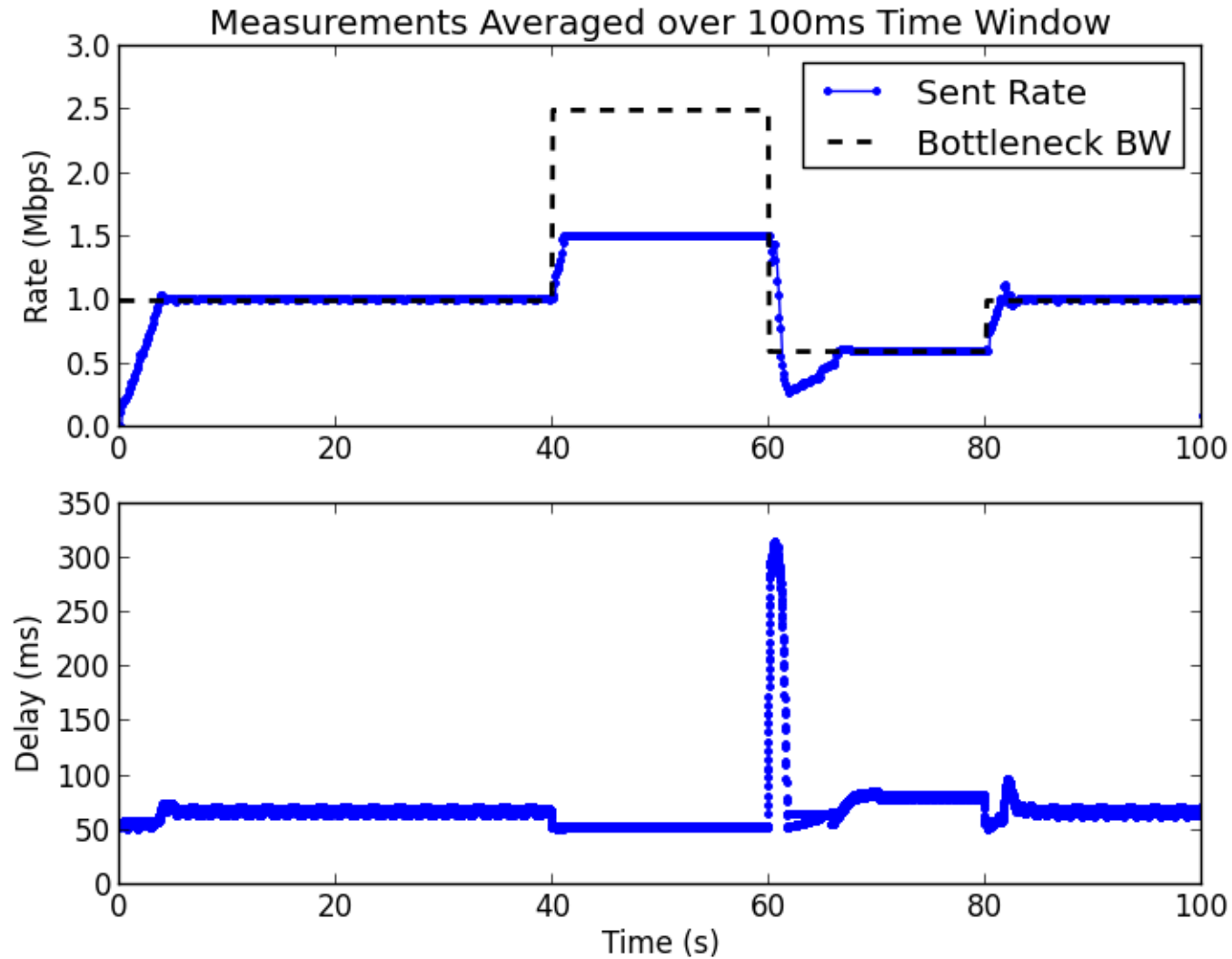
Bottleneck queue depth: ~ 300ms



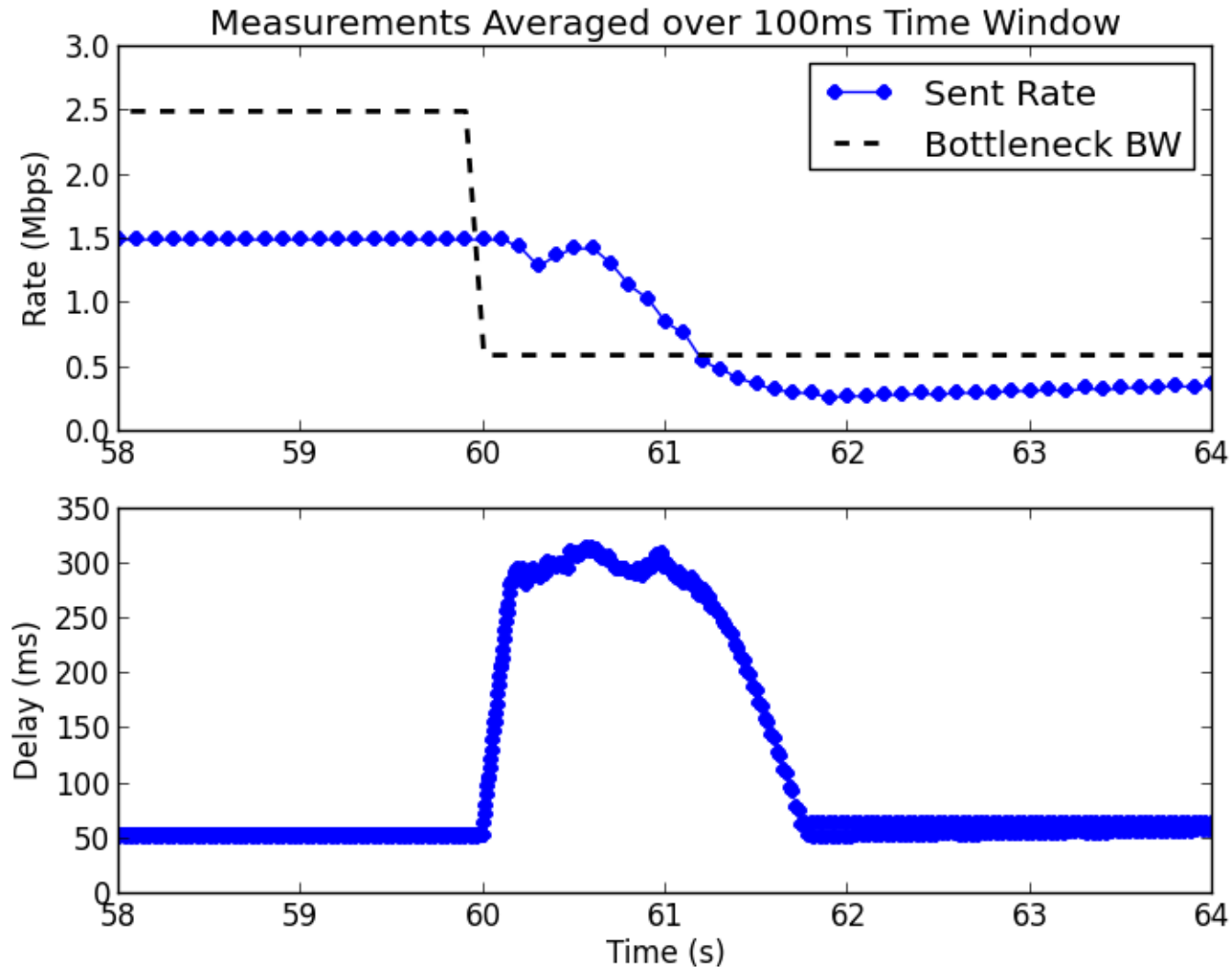
# Default Algorithm Parameters

- ACK interval:  $\delta_0 = 100$  ms
- MTU size: 1000 bytes
- Rate range: 150 Kbps  $\sim$  1.5 Mbps
- Scaling parameters:  $\kappa = 1.0, \eta = 2.0$
- Upper bound on RTT:  $\tau_o = 500$  ms
- Reference delay:  $x_{ref} = 10$  ms
- Delay warping:  $d_{th} = 50$  ms,  $d_{max} = 400$  ms
- Delay weights:  $d_M = 200$  ms,  $d_P = 1.0$  s
- Accelerated ramp-up:  $T_{th} = 50$  ms,  $\gamma_0 = 0.5$

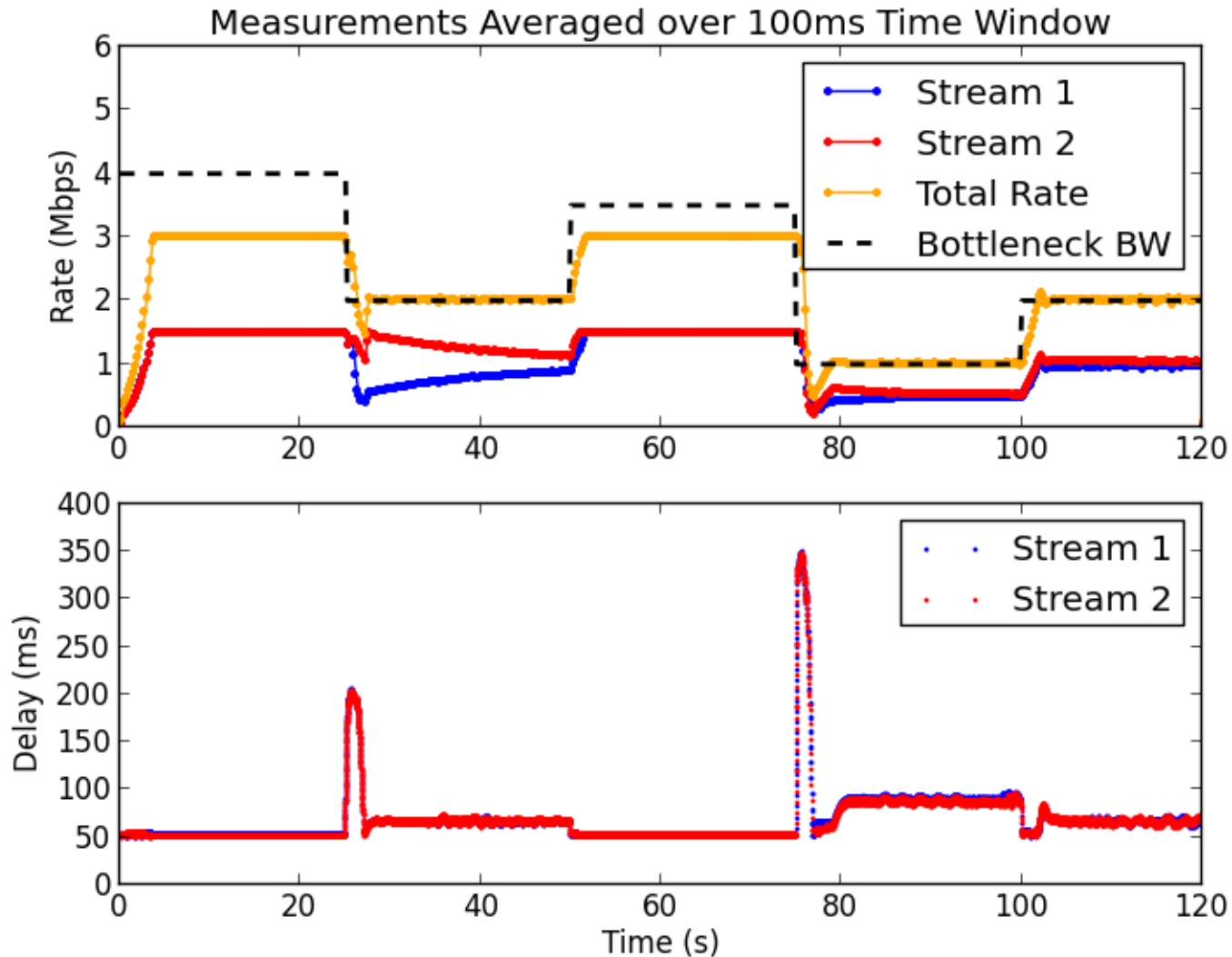
# Variable Available Capacity w/ Single RMCAT Flow



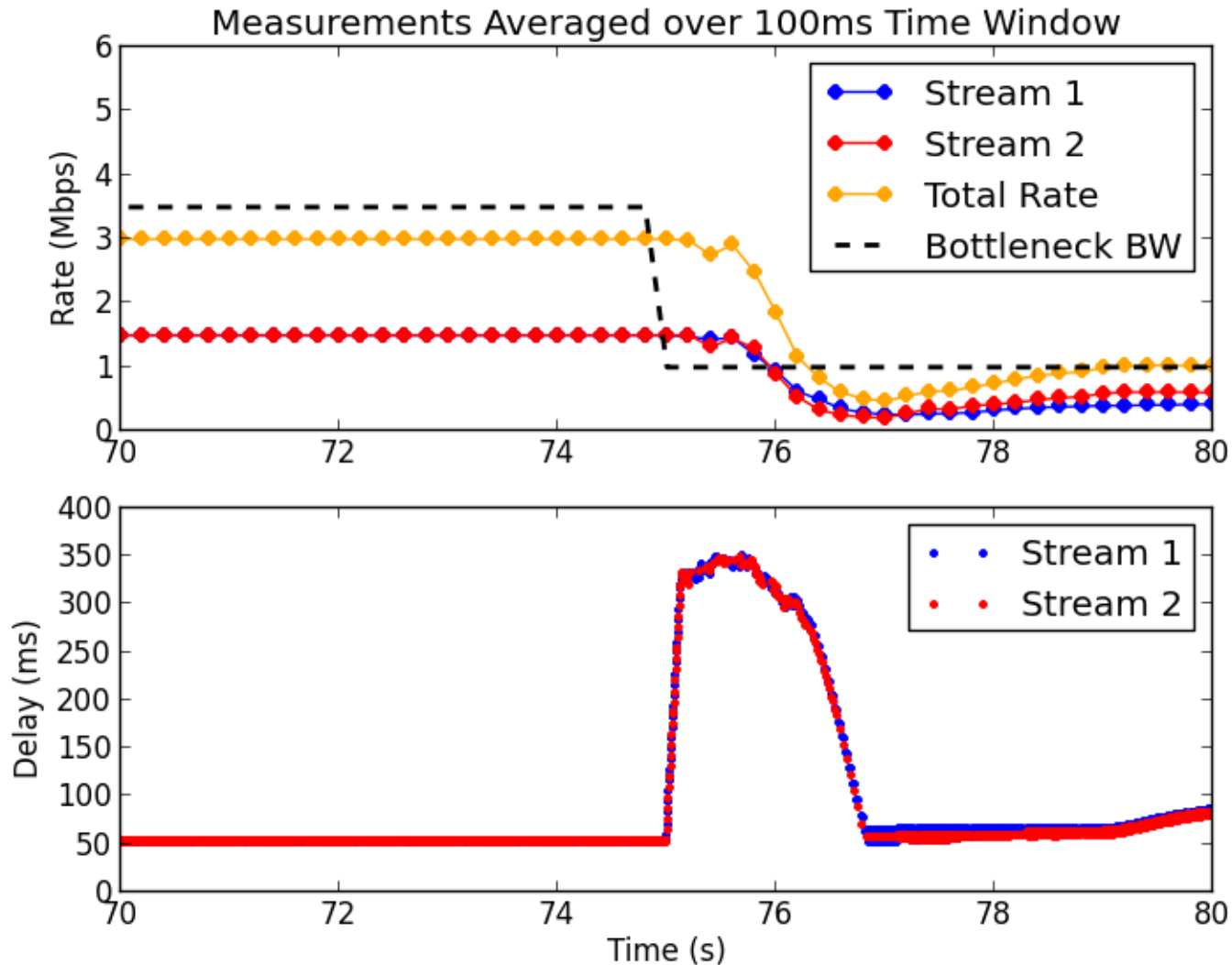
# Variable Available Capacity w/ Single RMCAT Flow (Zoom-In View)



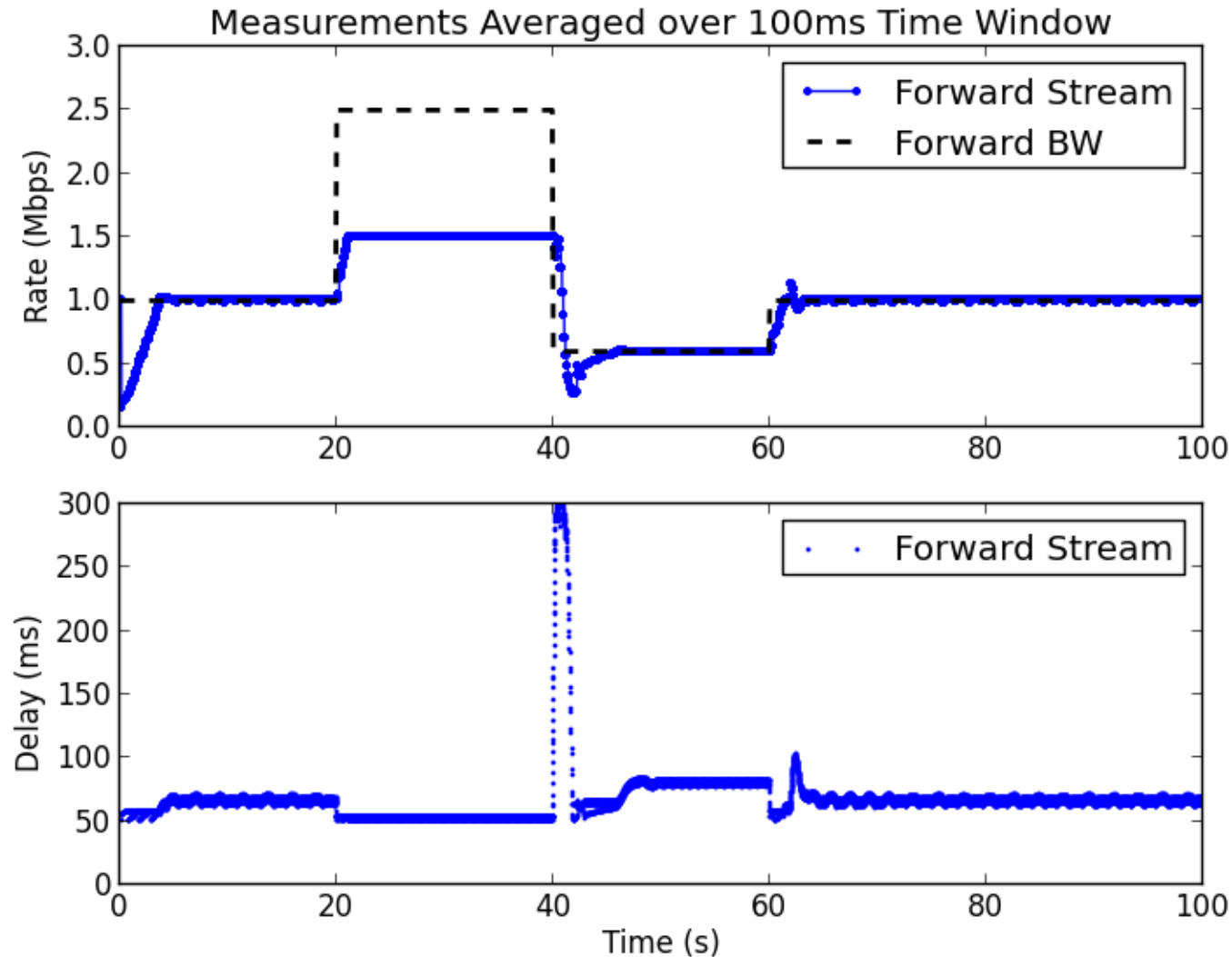
# Variable Available Capacity w/ Multiple RMCAT Flows



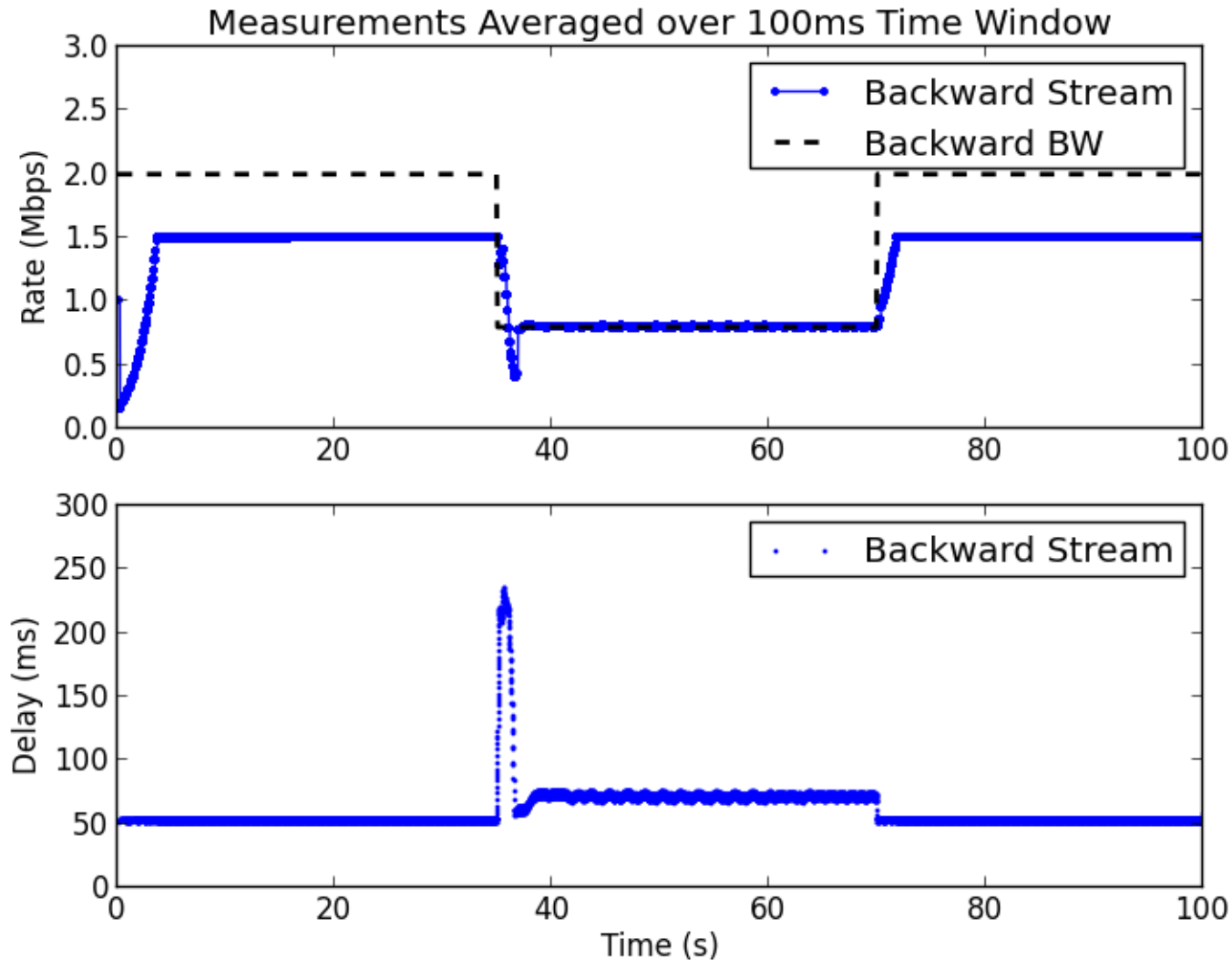
# Variable Available Capacity w/ Multiple RMCAT Flows (Zoom-In View)



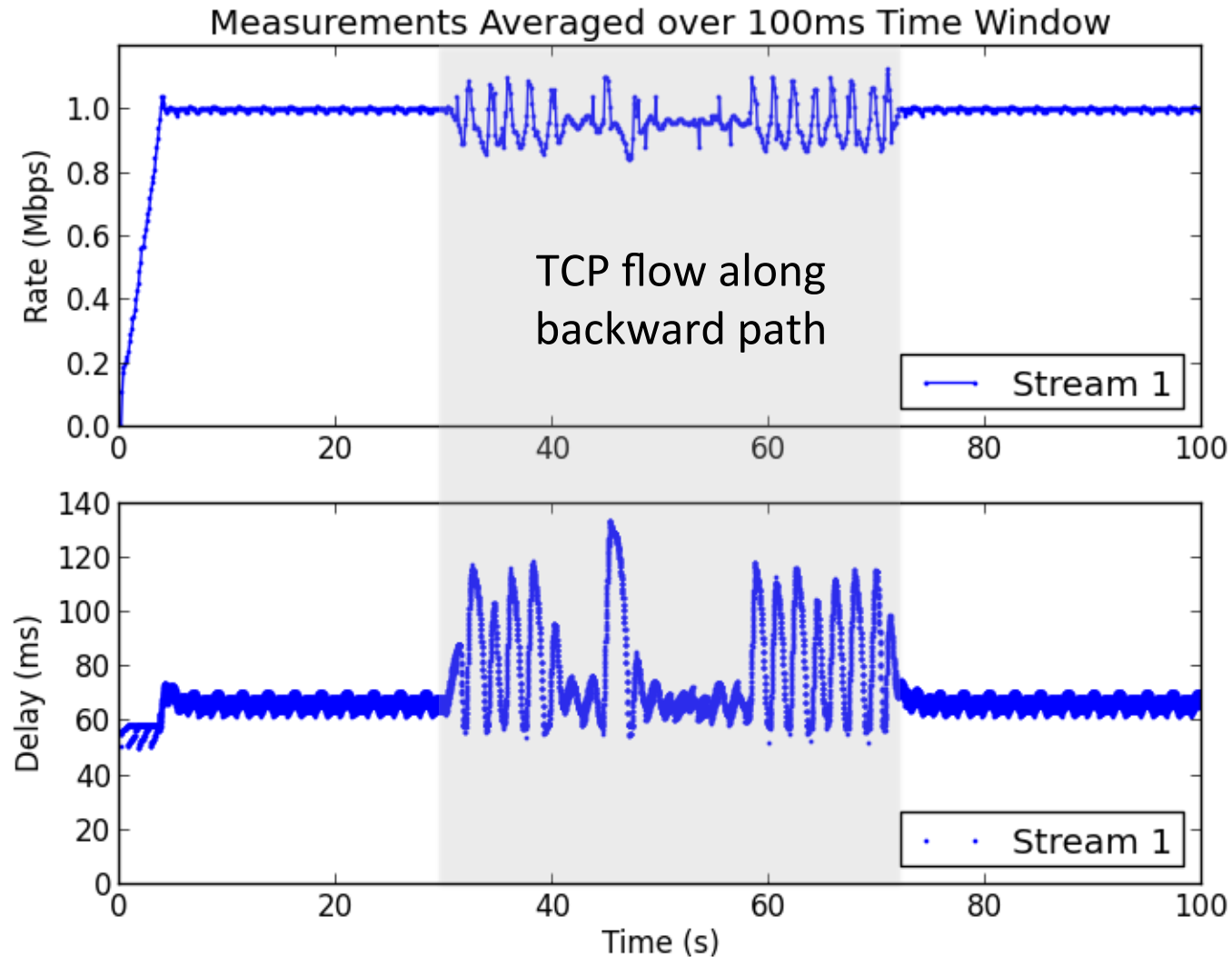
# Congested Feedback w/ Bi-directional RMCAT Flows: Forward Direction



# Congested Feedback w/ Bi-directional RMCAT Flows: Backward Direction

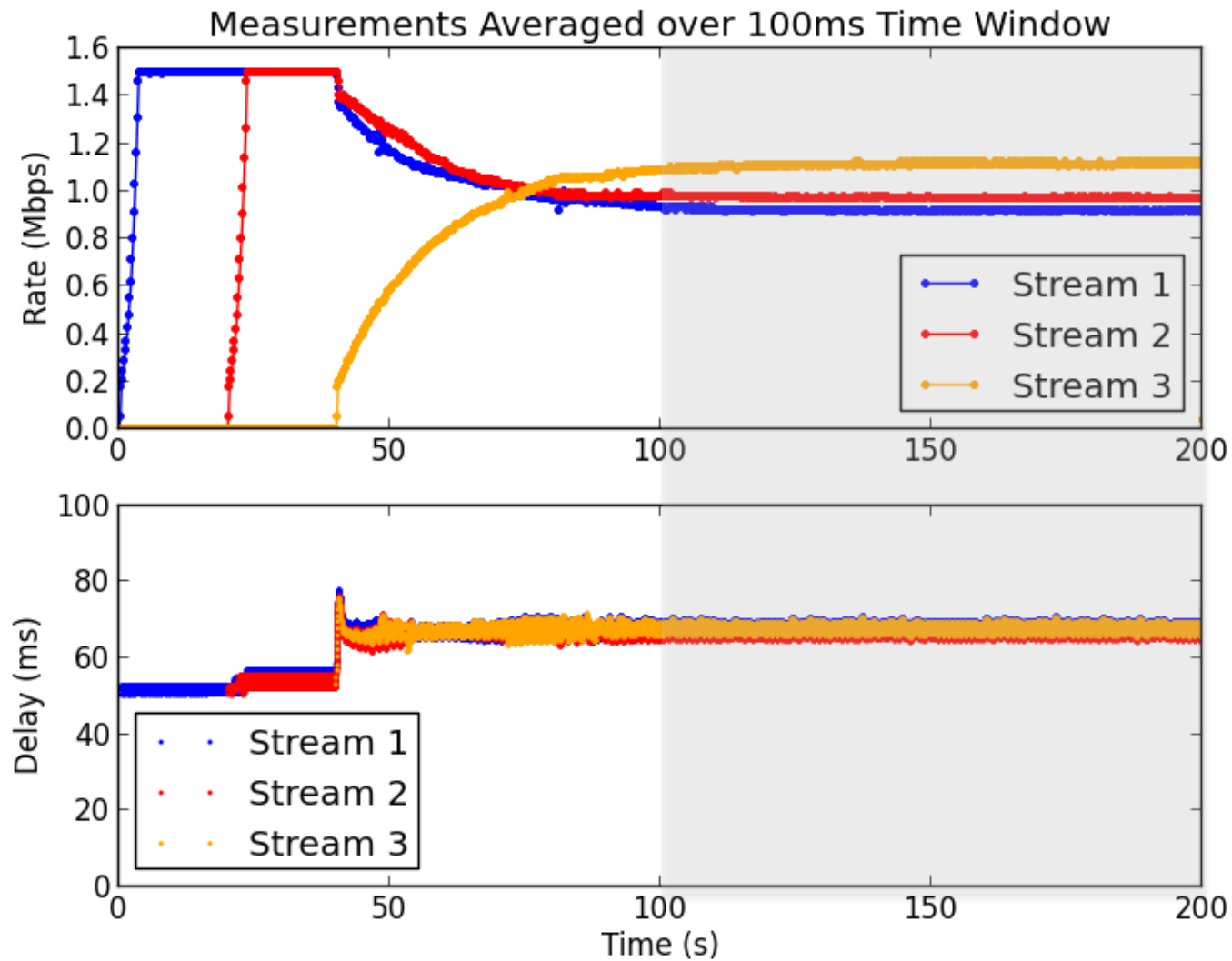


# Congested Feedback w/ TCP Backward Traffic



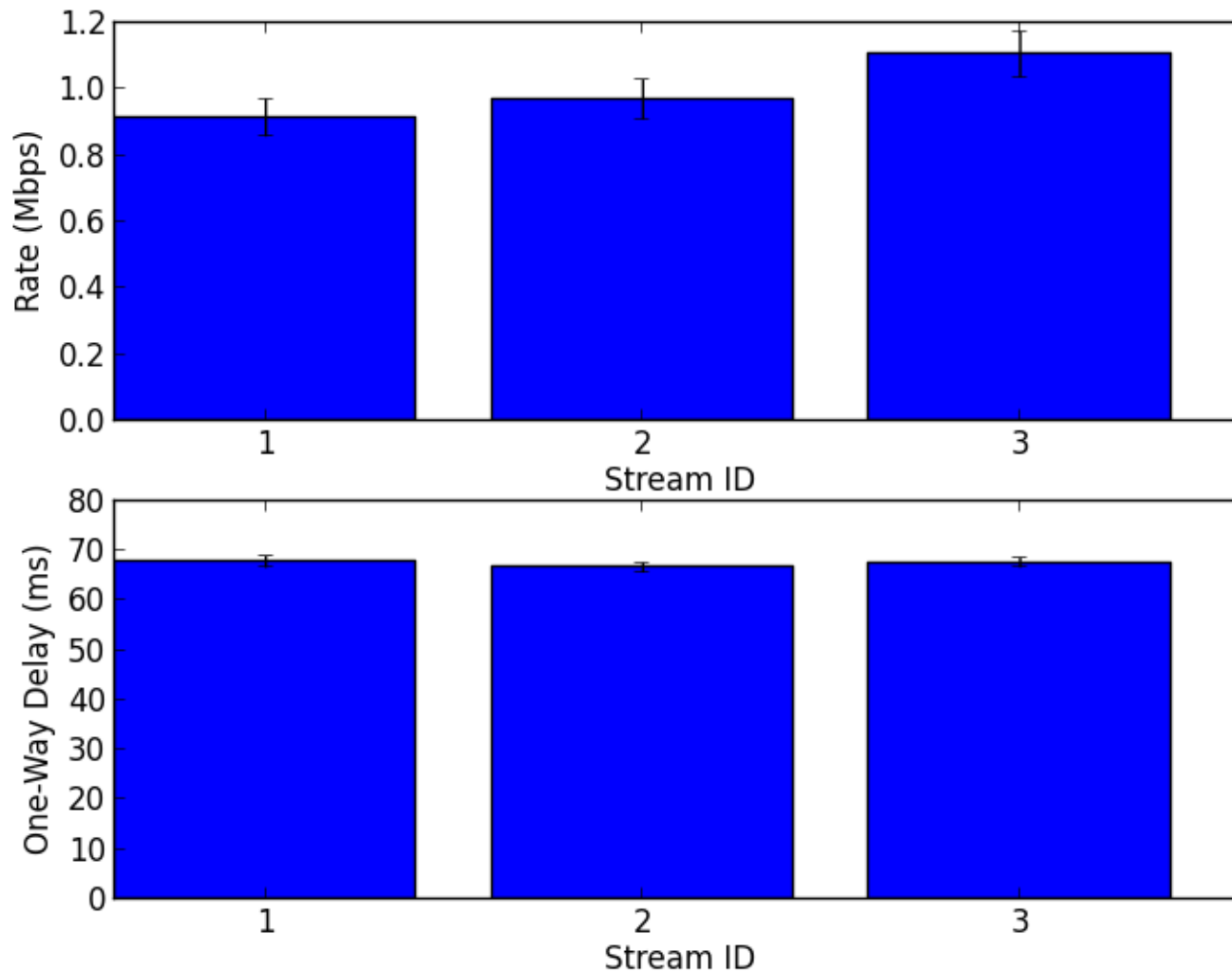


# Competing Flows w/ Same RMCAT Algorithm



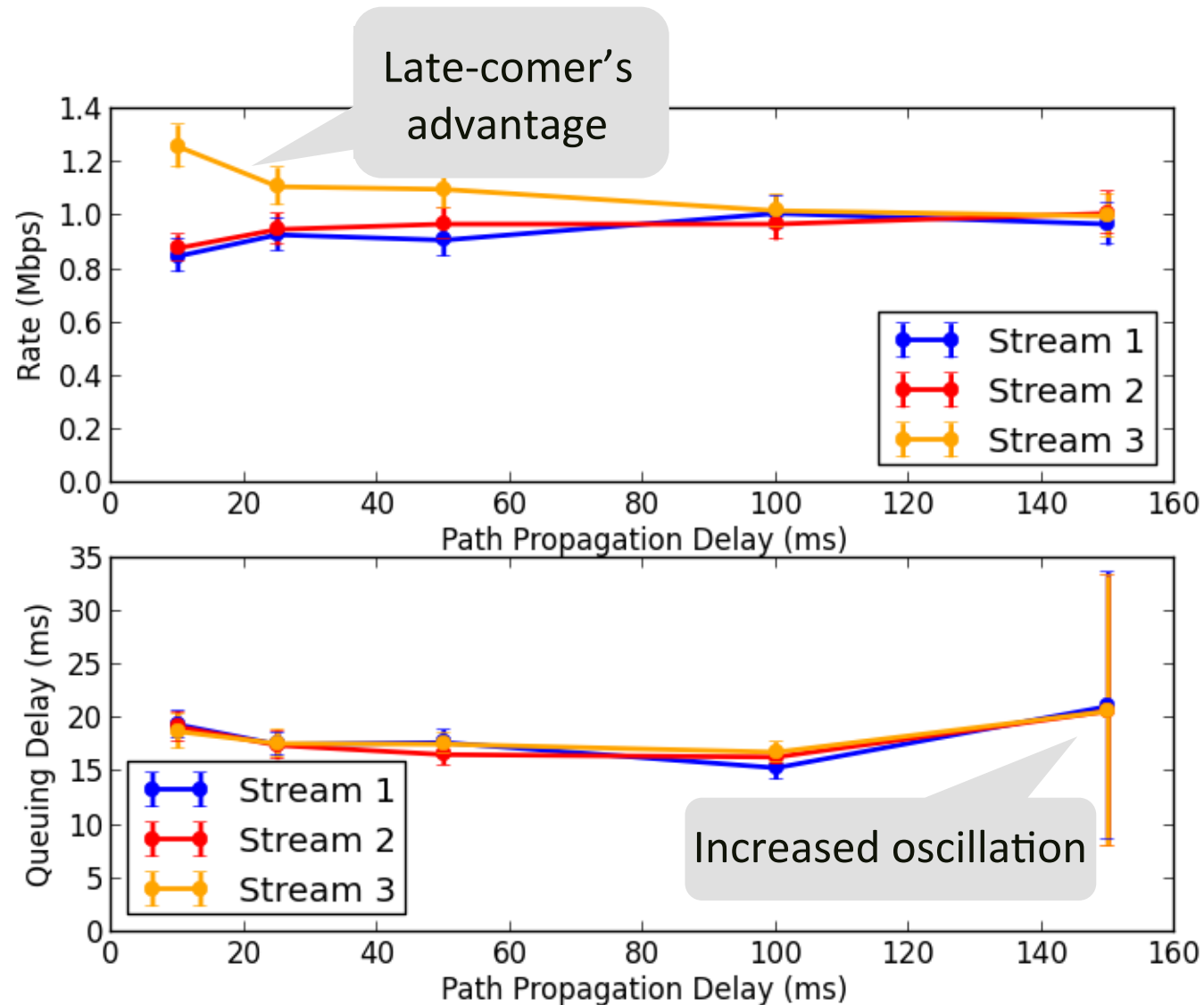
# Competing Flows w/ Same RMCAT Algorithm

## Per-Flow Rate and Delay Statistics

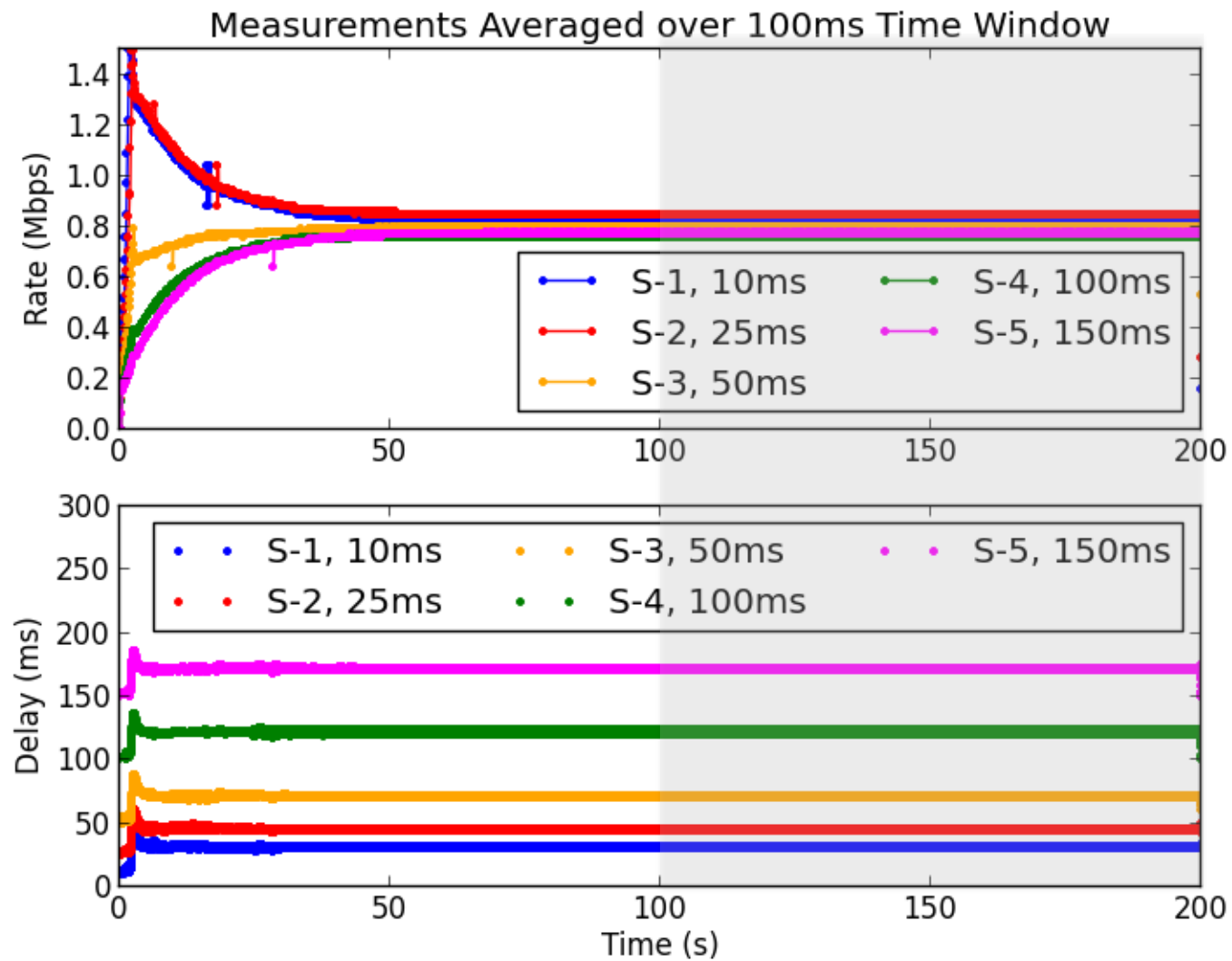


# Competing Flows w/ Same RMCAT Algorithm

## Varying Path Propagation Delay

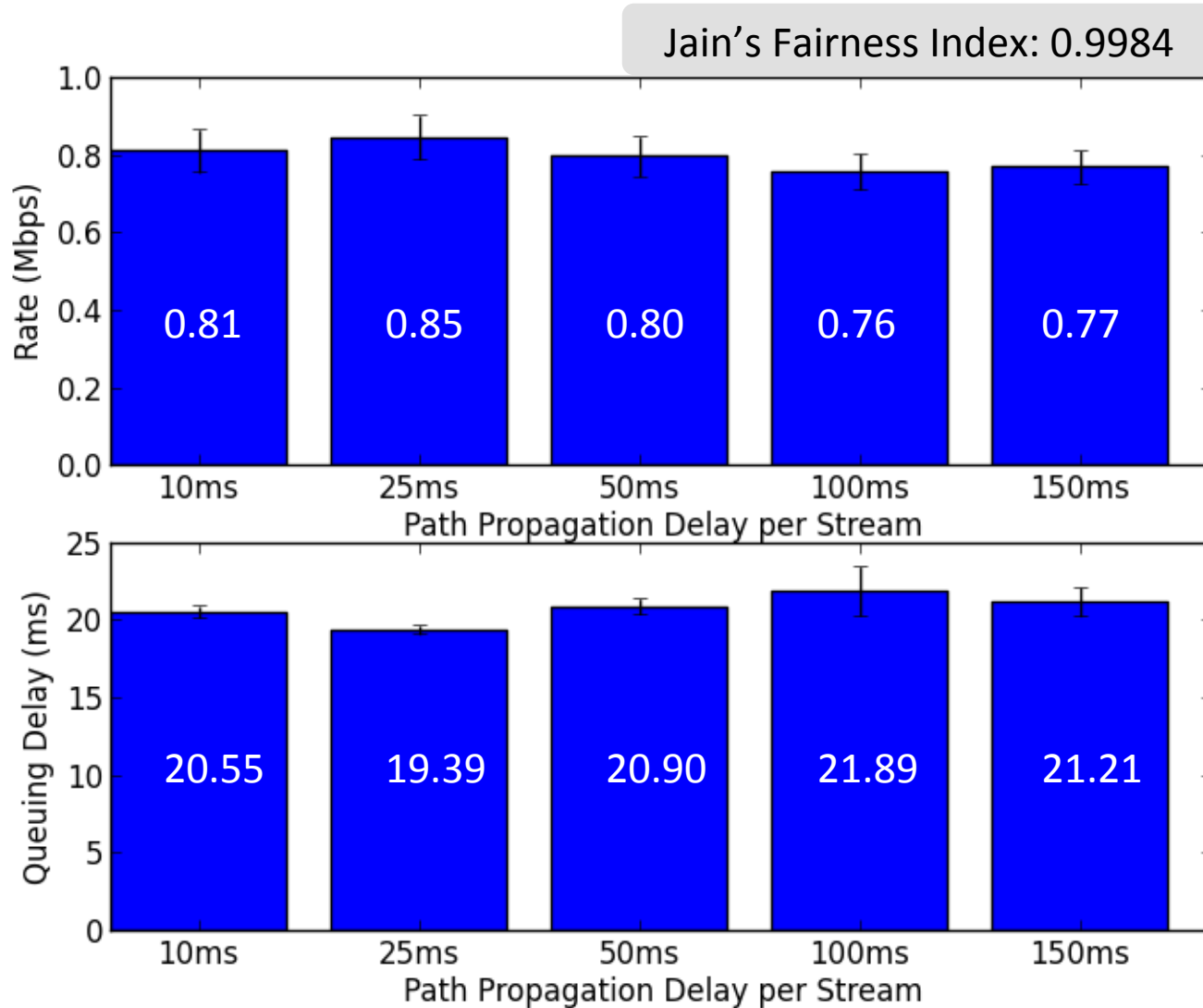


# Round Trip Time Fairness

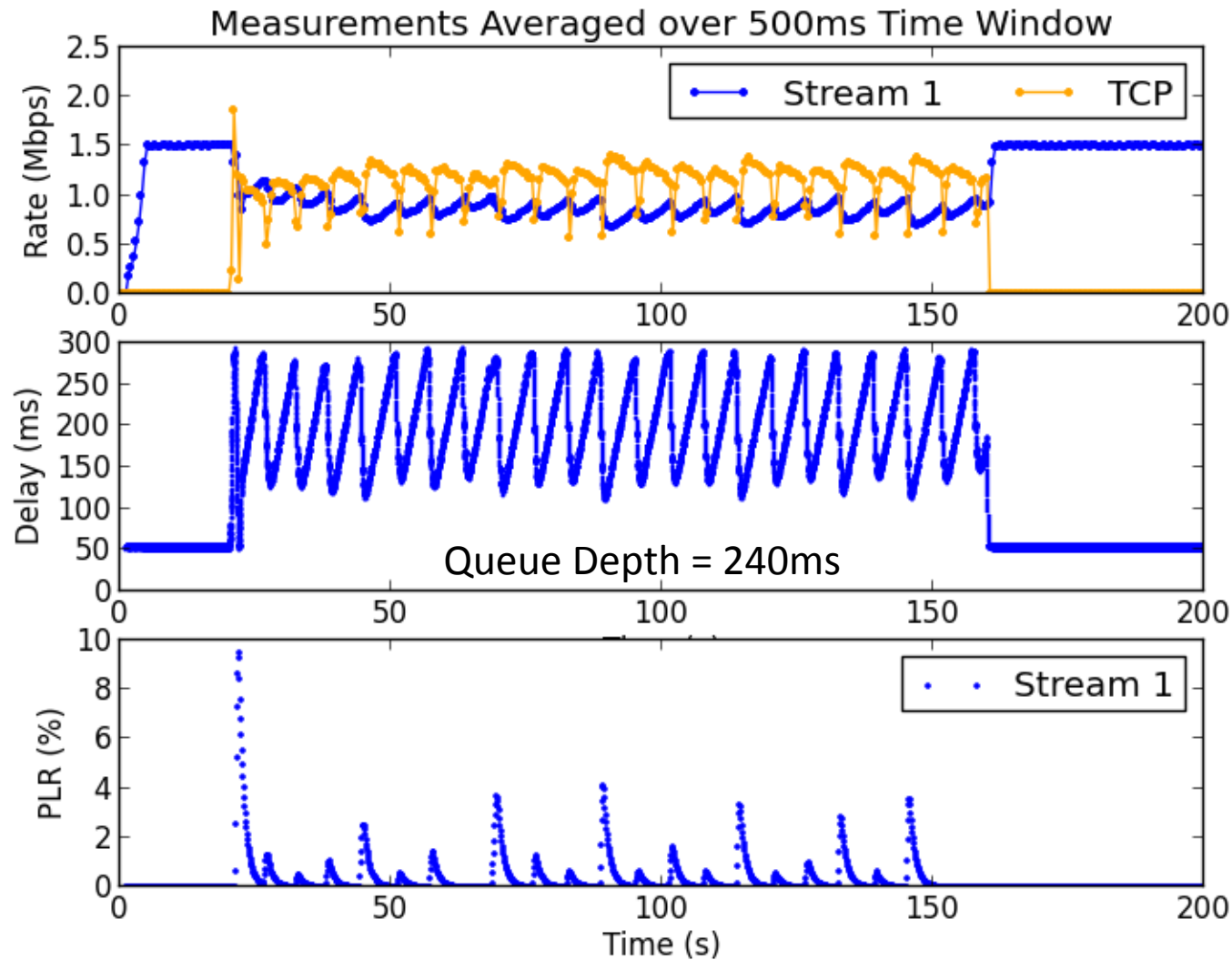


# Round Trip Time Fairness

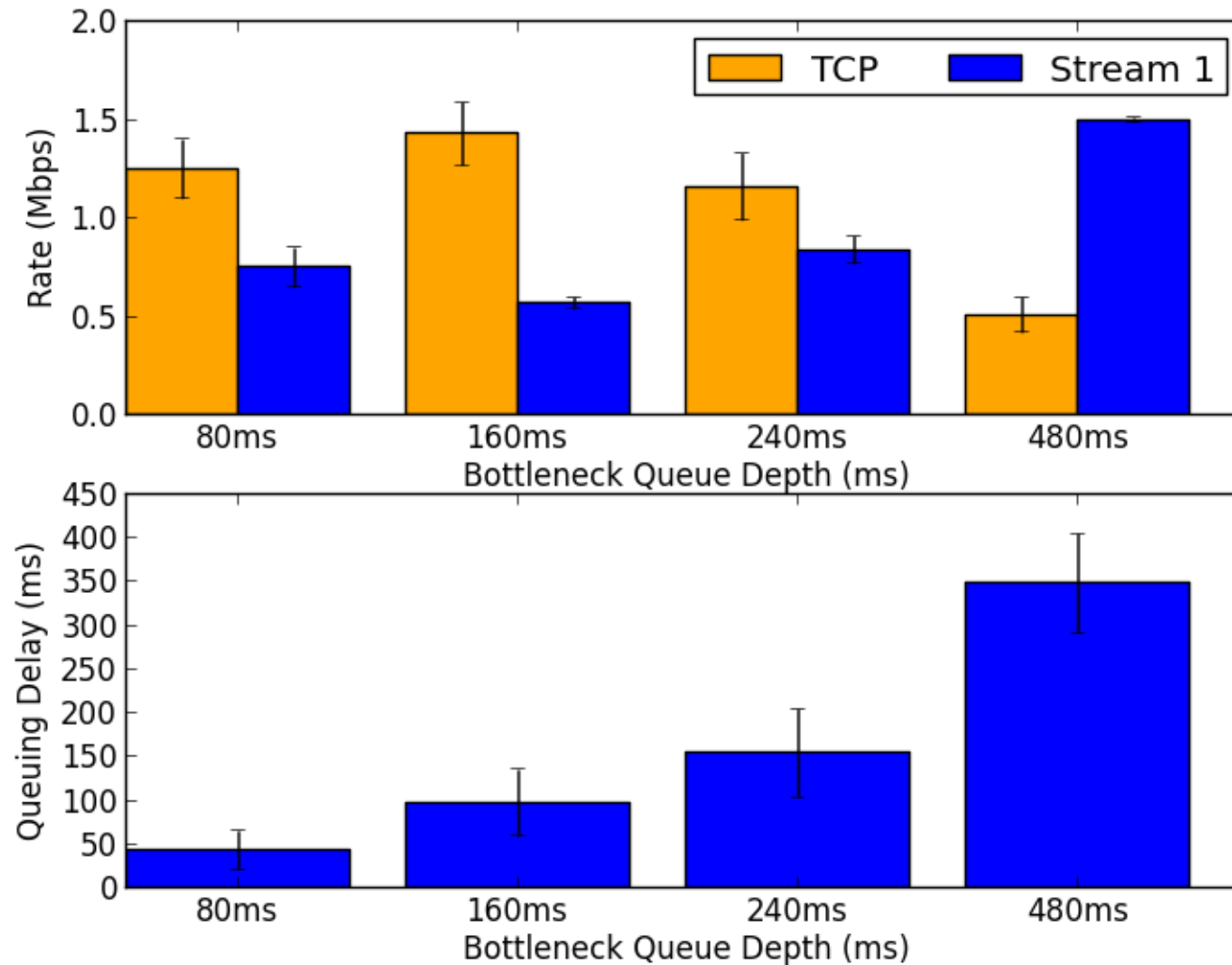
## Per-Flow Rate and Delay Statistics



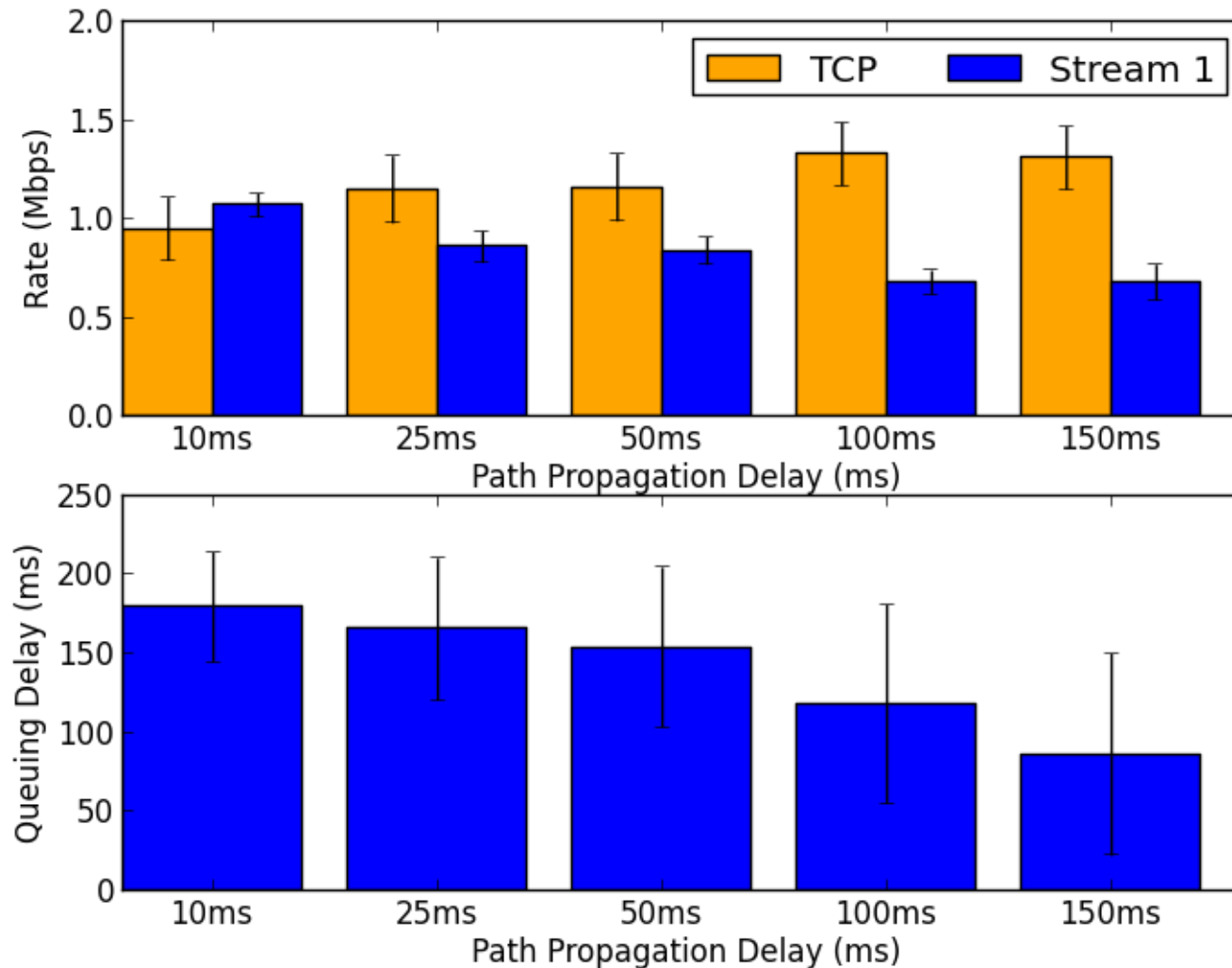
# RMCAT Flow competing w/ a Long TCP Flow



# RMCAT Flow competing w/ a Long TCP Flow: Varying Bottleneck Queue Depth

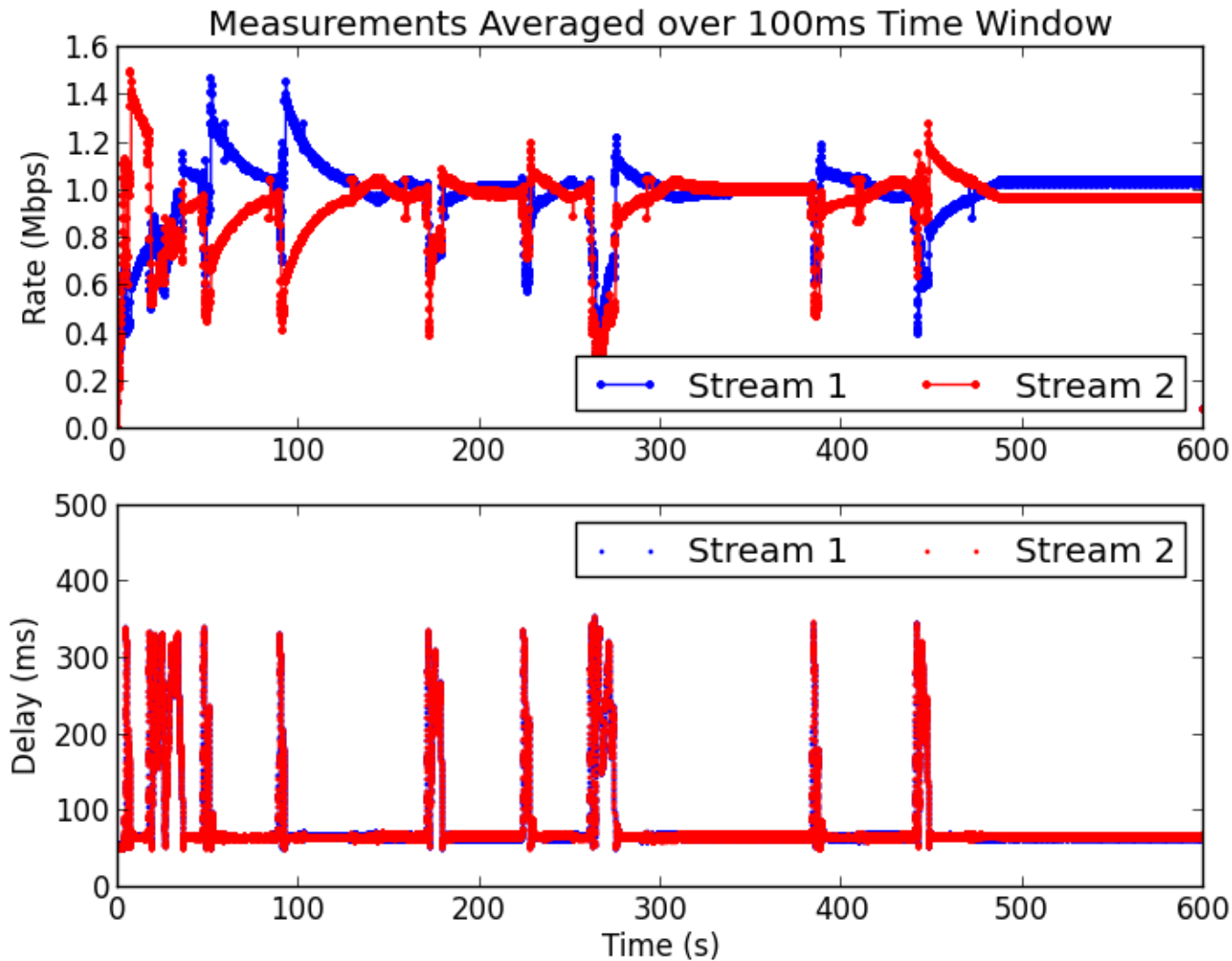


# RMCAT Flow competing w/ a Long TCP Flow: Varying Path Propagation Delay

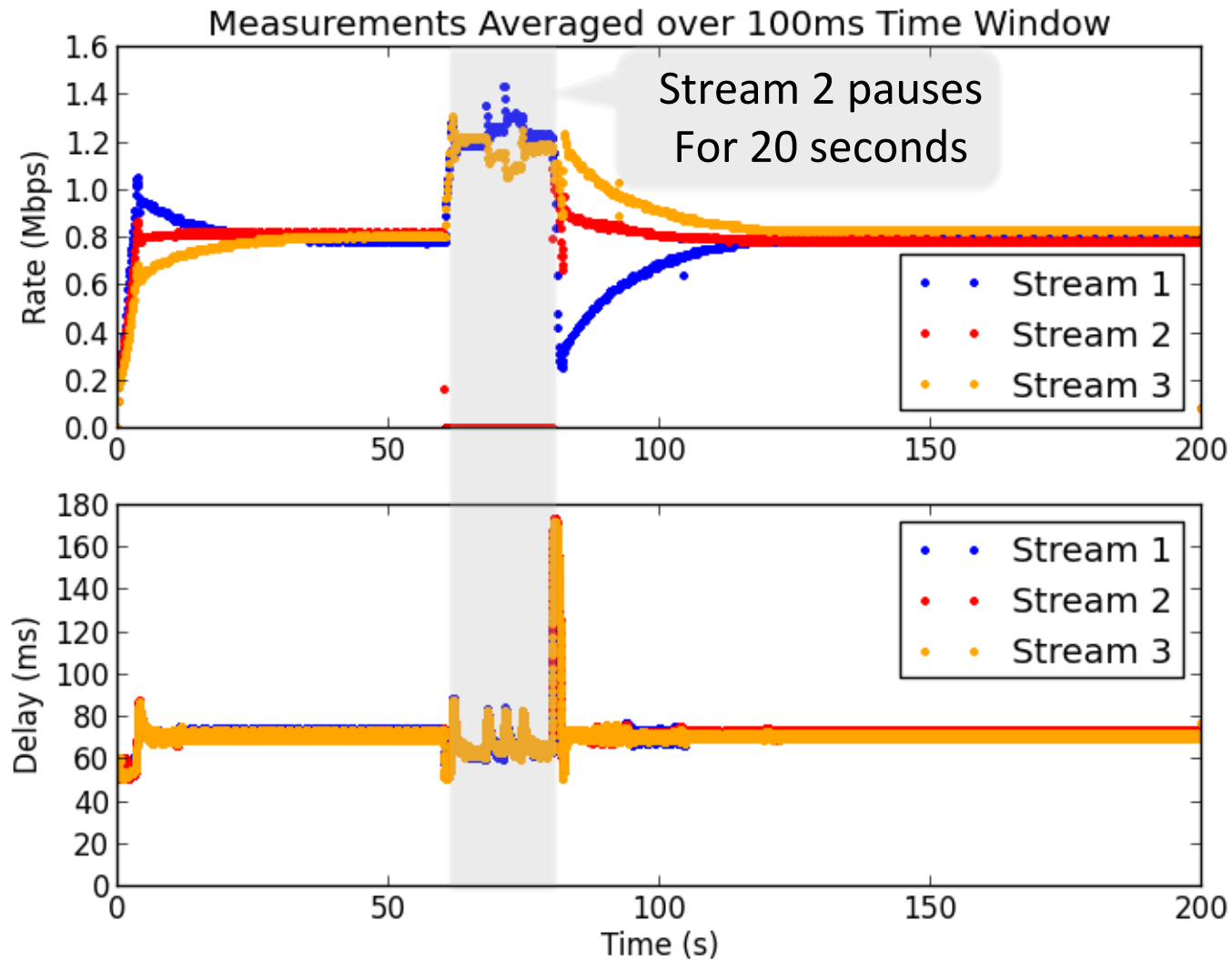




# RMCAT Flow competing w/ Short TCP Flows



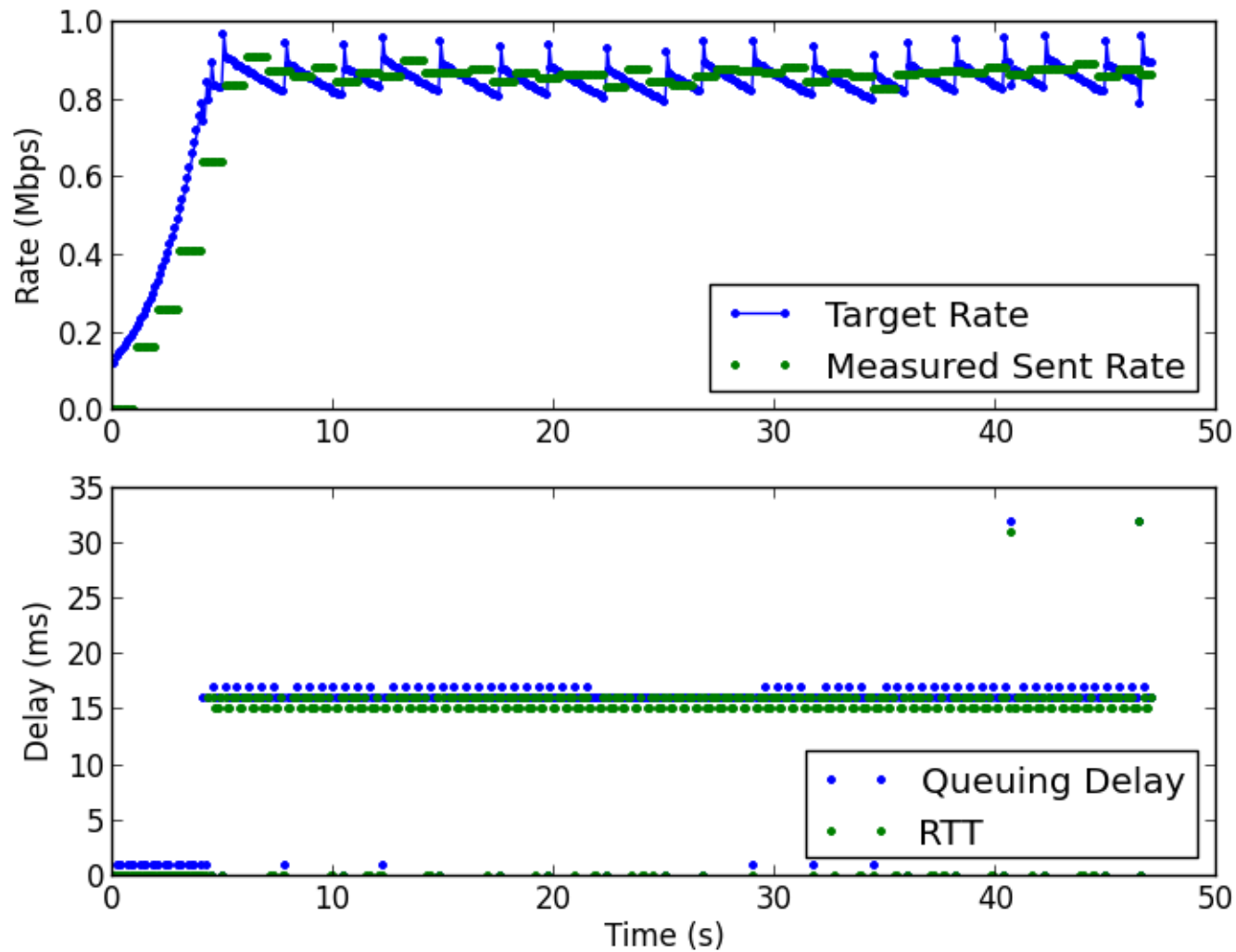
# Media Pause and Resume



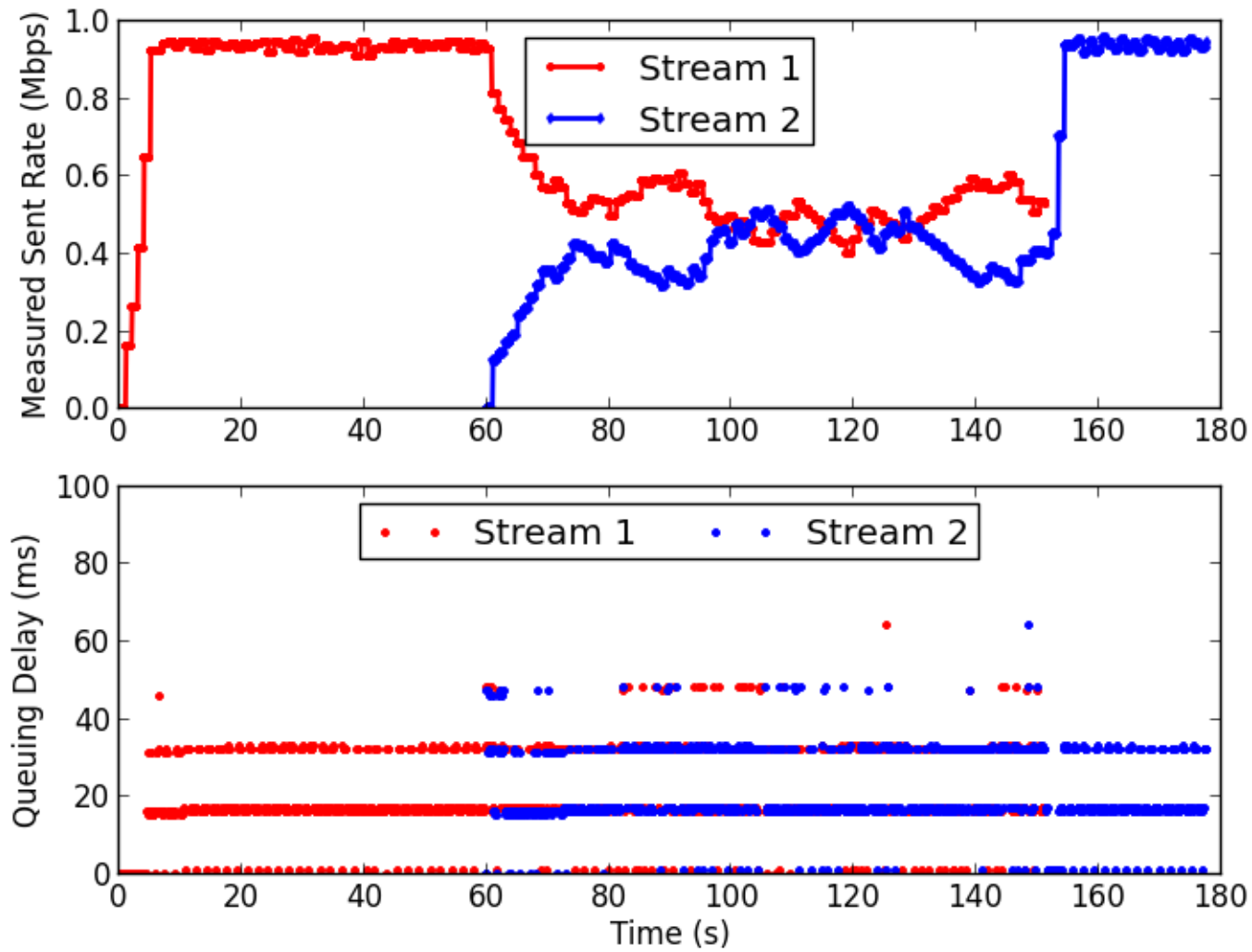
# Preliminary Testbed Evaluations

- Testbed Setting:
  - Bottleneck link capacity: 1Mbps
  - Path propagation delay: 0ms
  - Bottleneck queue depth: 500ms
  - VM-based sender and receiver
- Windows-based implementation of NADA:
  - Synthetic traffic source
  - Rate range: 120Kbps – 3.6Mbps
  - Feedback interval target: 100ms
  - *Limitation: Sender/receiver timestamp granularity of 16ms*

# Testbed Result: Single Flow



# Testbed Result: Two Flows

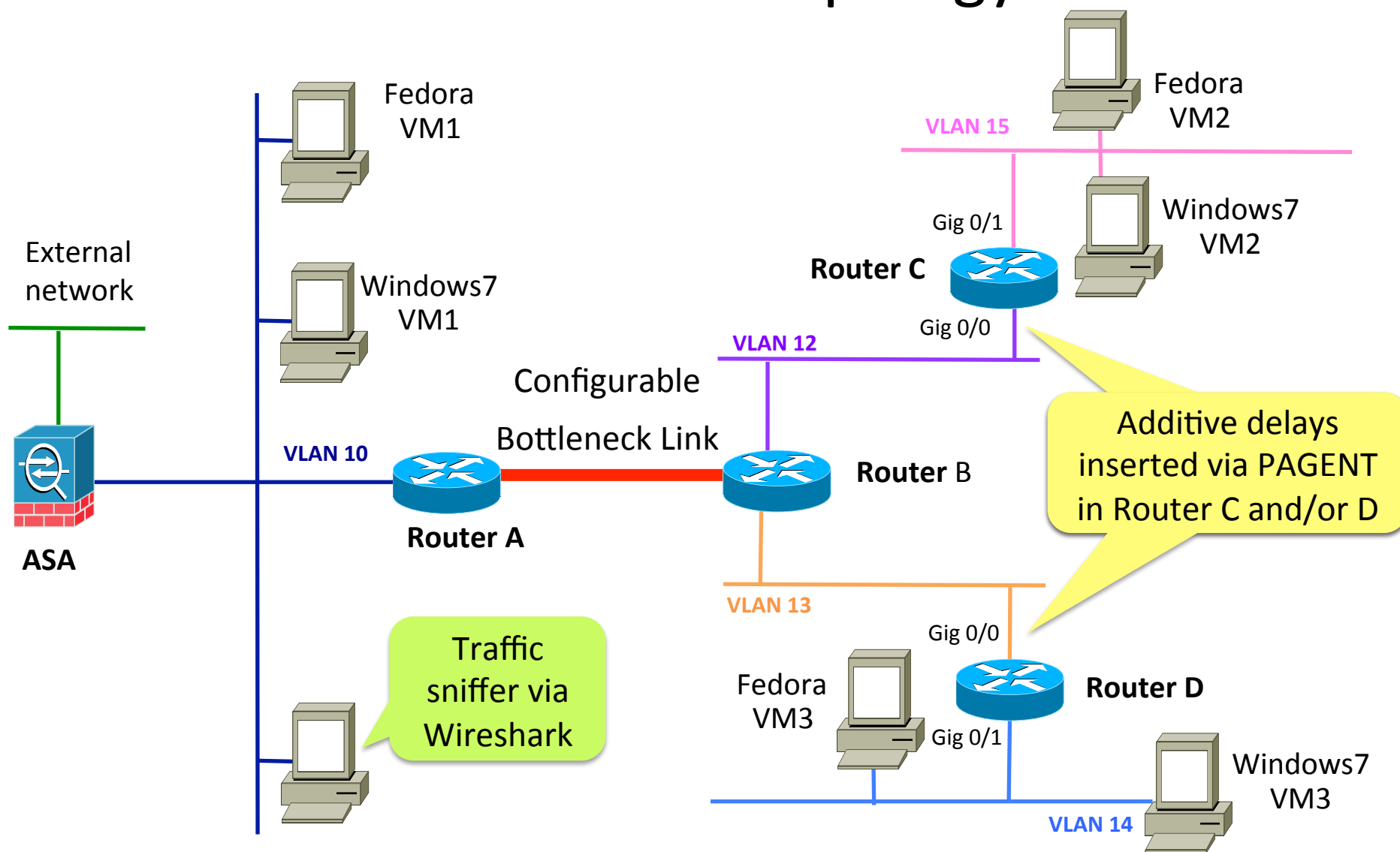


# Summary and Next Steps

- Revised algorithm and updated evaluation results:
  - Improved convergence speed
  - Coexists with TCP
  - Maintains stability and RTT fairness
- Next steps:
  - Analysis and tuning of algorithm parameters
  - Calculation of performance metrics
  - More extensive testbed evaluations

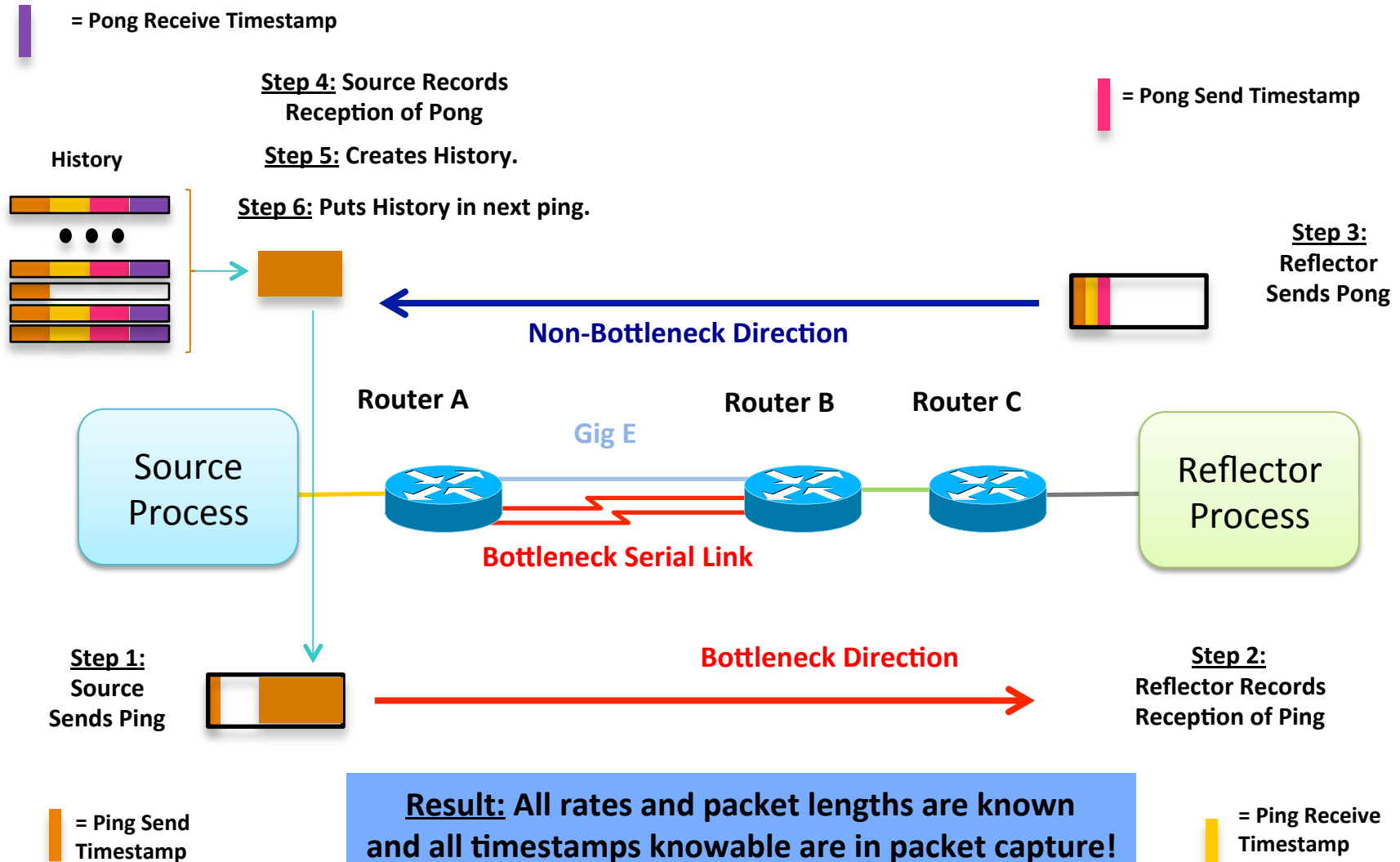
# **Backup Slides**

# RMCAT Lab: Topology

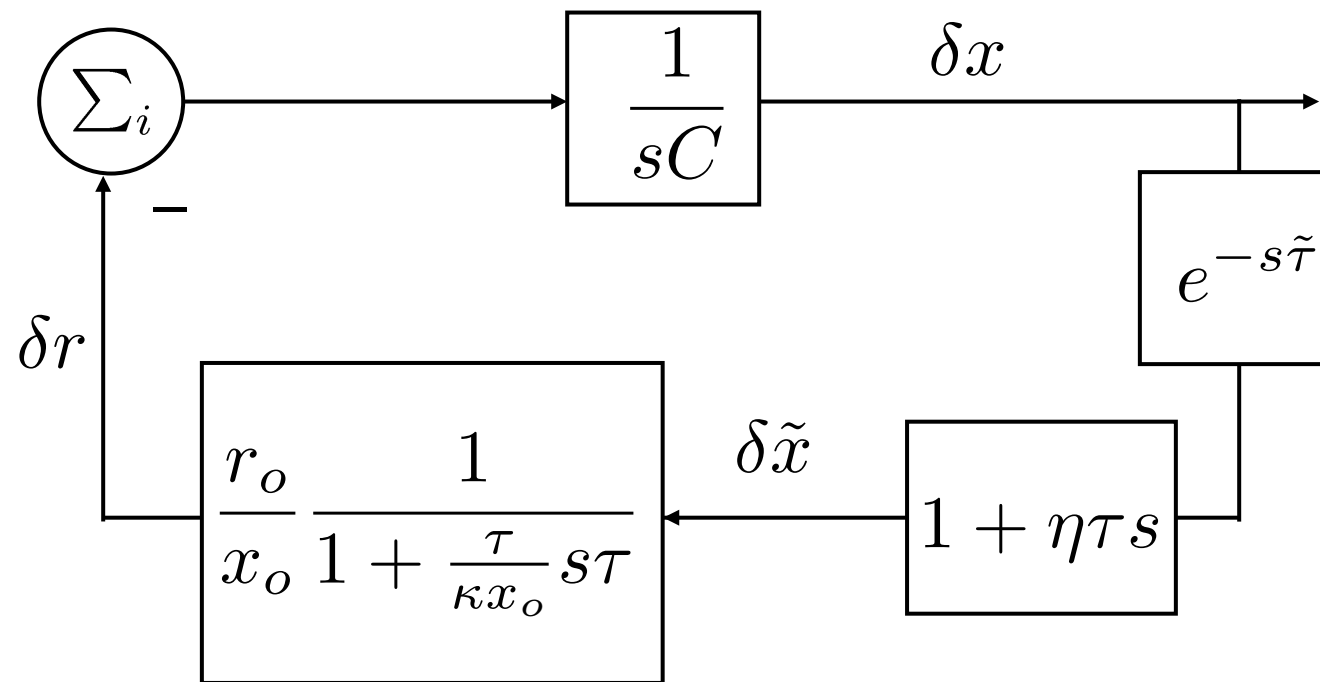




# Delay Measurement Framework



# Feedback Control Loop in Laplace Domain



# Stability Analysis

- Open-loop transfer function:

$$\mathcal{G}(s) = -\frac{r_o}{C} \frac{1 + \eta s \tau}{1 + \frac{\tau}{\kappa x_o} s \tau} \frac{e^{-s\tilde{\tau}}}{s x_o}$$

- Low-frequency response:

$$|\mathcal{G}(s)| \propto \frac{r_o}{x_o} \frac{\tilde{\tau}}{C} \quad \Rightarrow \quad \text{Ensures weighted fair bandwidth sharing}$$

- High-frequency response:

$$\mathcal{G}(s) \approx -\kappa \eta \frac{r_o}{C} \frac{\tilde{\tau}}{\tau} \frac{e^{-s\tilde{\tau}}}{s\tilde{\tau}} \quad \Rightarrow \quad \text{Stability guaranteed by } \kappa \eta \frac{\tau}{\tilde{\tau}} < \frac{\pi}{2} \text{ and } \eta \tau \gg 1$$

# Numerical Results on Stability Region

